

The optimization of noisy or

problem occurring in various

optimization problems there

imprecisely specified

functions is a common

applications. In many

may exist a number of

particular problem is

others involve a

different ways in which a

modelled. Some methods

may be quite elaborate in

their representation, while

simplification of the problem,

with the former being more

accurate but at the same time

engineering might be a coarse

FEA mesh as compared to a

analysis, or CFD panel and

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more computationally

Typical examples from

refined one for stress

expensive than the latter.

## Ptimization Group **GA** Optimization of Approximate or **Noisy Function Representations**

On the other hand a GA with niching forces the population to be distributed over many peaks in the parameter space as is seen below



Both types of GAs have been applied to this problem with a changing fitness landscape. The optimisation was carried out sequentially over three levels starting with the highly distorted function, then a less distorted one, and ending with the base function. More generations were allocated on the highly distorted function computationally cheap), fewer This process has been carried out for both frequency distortion (varying  $\alpha$ ) and spatial shift (varying  $\beta$ ).



Results for this study have shown that the use of niching, which distributes the population over many peaks in a changing fitness landscape, gives improved results. Further work is to be carried out on higher dimension functions and also by implementing diploid GAs that may be better suited for such changing landscapes.

(analogous to a coarse representation that is were allocated to the less distorted bump, and even fewer to the base function.



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utionary It is therefore important to understand how a significant number of less accurate evaluations could be ones to arrive at an optimum design. To understand how work, we used the detailed below.



An interesting feature of this

Euler methods for estimating integrated with fewer accurate different integration strategies generalized bump function as

$abc(\sum_{i=1}^{n}c_{i}ac_{i}^{i})+\beta(b_{i}-b_{i}\prod_{i=1}^{n}c_{i}ac_{i}^{i})+\beta(b_{i})$
$\sqrt{\sum_{i=1}^{N} (x_i - \beta_i)^2}$
tw.
Port Plant
religion to
$\prod_{i=1}^{n} c_i > 0.75  \text{and}  \sum_{i=1}^{n} c_i < 0.51/2$
charling it sos
$a_i = 0,  i=1,,n$

The  $\alpha$  and  $\beta$  parameters are used here to define frequency and spatial distortion, respectively. The undistorted function is one in which  $\alpha=1$ and  $\beta = 0$ 

function is that the surface is nearly but not quite symmetrical in  $x_1 = x_2$ , so the peaks always occur in pairs but one is always bigger than its sibling.

is generalized for n greater than two it becomes even more demanding with families of similar peaks occurring within a highly complex constraint surface. Shown below is the 2D undistorted bump (golden) with a distorted variant superimposed (white translucent). Notice the many false and distorted optima.



Two GA optimisation methods have been used on this problem. One involving a simple haploid GA, and the other a GA with niching. Below is the distribution of the population over the function for the simple GA. It is clear that most of the population has converged on a single peak which is not the global maximum (the global maximum lies on the constraint boundary).

