

Modelling Final Outcome and Length of Call Sequence to Improve Efficiency in Call Scheduling

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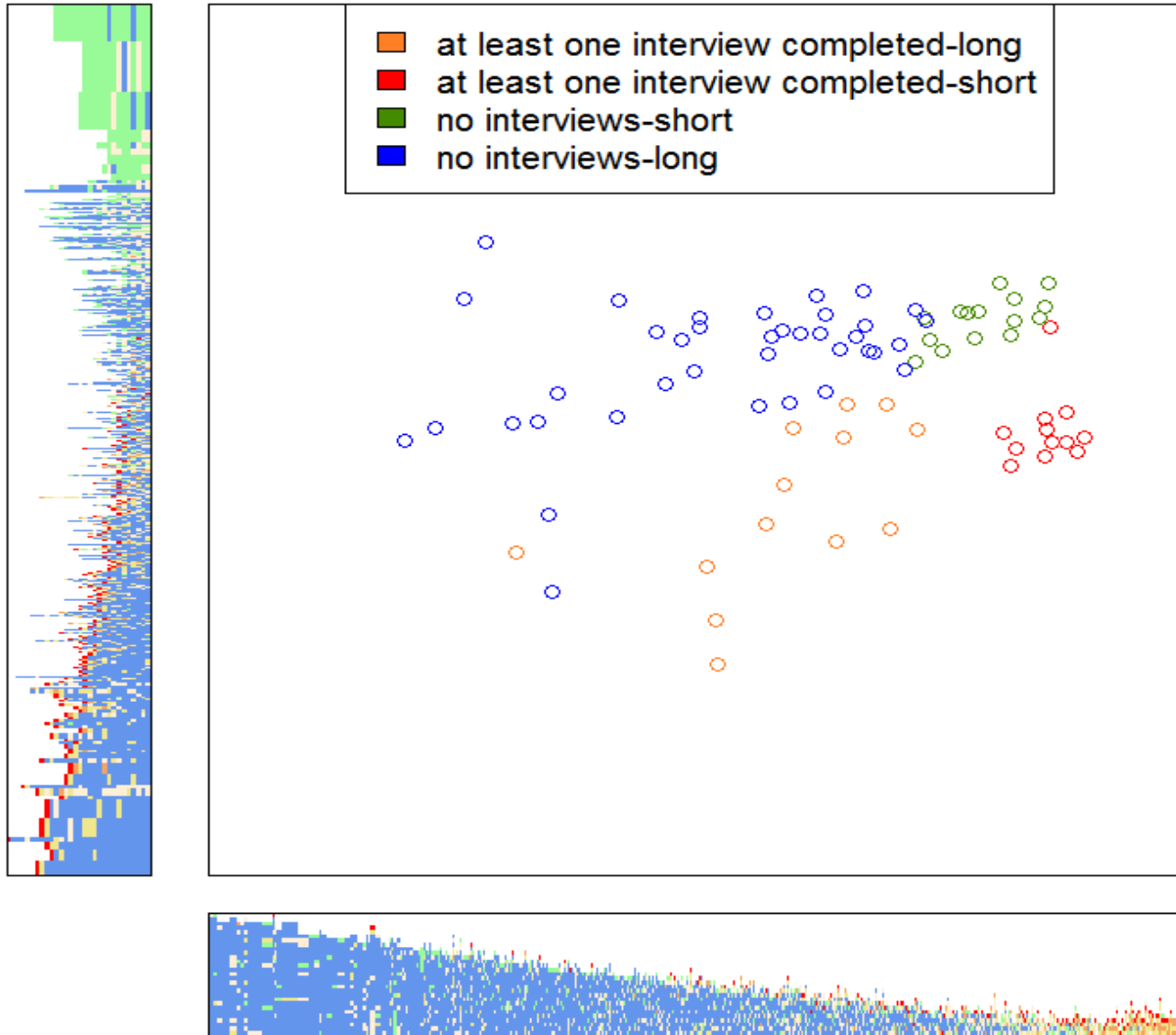
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Motivation

Survey practice:

- Aim for **short call sequences** and **success** in gaining response
- Aim to **avoid unsuccessful and/or long call sequences** since these are resource intensive

Motivation: Sequence Analysis



Main Research Question

- Can we predict final call sequence length and final outcome early on in the data collection process?
- In other words:
 - Can we predict say after the third call if a household is going to respond or not ?
 - How many calls is it going to take to get the outcome?
- This would help survey agencies to make a more informed decision of who to continue to follow up
- Particularly useful for **longitudinal surveys**

Further Research Questions

- Ability of ‘classical’ nonresponse models without call data to predict nonresponse is often limited (R^2 values well below 10%)
- How predictive are the models proposed here including call record data?
- Does their ability to predict improve once more call record data are available (e.g. for later calls; or for later waves in a longitudinal study)?
- How can predictors best be incorporated into the models (summary measures or individual outcomes)?
- How can these models best be used in adaptive and responsive survey designs?

A Note:

- Previously developed: discrete time event history analysis to model response outcome at next call
- Analysis here provides a simple example of how to use call record data
- Applicable to call record data from CAPI or CATI
- For analysis of both cross-sectional and longitudinal surveys

Data

Data

- UK Understanding Society Survey
- Large-scale longitudinal study
- Call data from Wave 1 only (Jan 2009- March 2011)
- Face-to-face interviews of all adult household members
- Minimum of 6 calls made to a household per survey guidance
- Analysis sample: 25,358 households within 734 interviewers

Note: for the purpose of this analysis need to compare models on the same data (same cases). Therefore, analysis restricted to cases with at least 4 calls (not necessary in survey practice)

Analysis Methods

Dependent Variables and Models

Dependent Variable	Categorisation	Model
a. Length	Short (1-6 calls) vs long (7+)	Binary logistic
b. Outcome	Successful (at least one interview) vs unsuccessful	Binary logistic
c. Length x outcome	4 categories: Short successful Short unsuccessful Long successful Long unsuccessful	Multinomial logistic

Households clustered within interviewers \Rightarrow used robust SE estimation

Modelling strategy and explanatory variables

Model	Explanatory Variables
0.) Before data collection (Before call 1)	Geographical information only
	Plus interviewer observation variables
1.) After call 1	Plus call data from first call (outcome; day and time), time of next call)
2.) After call 3	Plus call data from second and third call (outcomes, day and time, time between calls), time of next call, time between call 3 and 4.

Assessment of Models

- Focus on ability of models to predict length and outcome
- To compare different models, to assess quality of model prediction and model fit
 - Pseudo- R^2 statistic (proportion of variation in the dependent variable that is explained by the model)
- Concept from epidemiology to assess accuracy of models (Plewis et al 2012):
 - discrimination (sensitivity and specificity)
 - prediction (positive and negative predicted value)

Assessment of Models

- To assess both concepts: classification table is useful
- Say nonresponse $y = 1$, predicted value $\hat{\pi}$, then $\hat{y} = 1$ if $\hat{\pi} > c$
- Discrimination:
 - sensitivity: $P(\hat{y} = 1|y = 1)$
 - specificity: $P(\hat{y} = 0|y = 0)$
- Prediction:
 - Positive predicted value: $P(y = 1|\hat{y} = 1)$
 - Negative predicted value: $P(y = 0|\hat{y} = 0)$

Results

Results

Model	Length		Outcome		Length x Outcome	
	pseudo R ²	Classificat. Table	pseudo R ²	Classificat. Table	pseudo R ²	Classificat. Table
Before call 1: geography	3%	56%	1%	54%	3%	36%

Results

Model	Length		Outcome		Length x Outcome	
	pseudo R ²	Classificat. Table	pseudo R ²	Classificat. Table	pseudo R ²	Classificat. Table
Before call 1: geography	3%	56%	1%	54%	3%	36%
+ IO	6%	59%	6%	58%	9%	39%

Results

Model	Length		Outcome		Length x Outcome	
	pseudo R ²	Classificat. Table	pseudo R ²	Classificat. Table	pseudo R ²	Classificat. Table
Before call 1: geography	3%	56%	1%	54%	3%	36%
+ IO	6%	59%	6%	58%	9%	39%
After call 1: + call 1 data	8%	60%	8%	60%	12%	40%

Results

Model	Length		Outcome		Length x Outcome	
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+ IO	6%	59%	6%	58%	9%	39%
After call 1: + call 1 data	8%	60%	8%	60%	12%	40%
After call 3: + call 1-3 data	11%	61%	11%	62%	19%	43%

Results

Model	Length		Outcome		Length x Outcome	
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+ IO	6%	59%	6%	58%	9%	39%
After call 1: + call 1 data	8%	60%	8%	60%	12%	40%
After call 3: + call 1-3 data	11%	61%	11%	62%	19%	43%
+ call 3 outcome	25%	69%	27%	68%	36%	51%
+ calls 1-3 outcome	26%	70%	30%	70%	37%	52%

Results

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After call 3: + call 1-3 data	11%	61%	11%	62%	19%	43%
+ call 3 outcome	25%	69%	27%	68%	36%	51%
+ calls 1-3 outcome	26%	70%	30%	70%	37%	52%
+ 4 sums of outcome	22%	69%	30%	69%	33%	50%
+ call 4 data (without outcome)	27%	71%	32%	70%	40%	50%

Results: Sensitivity

Model	Short Unsuccessful (n=4962)	Short Successful (n=7391)	Long Unsuccessful (n=8603)	Long Successful (n=4402)
1	0.0%	43.2%	69.6%	0.0%
2	6.5%	52.8%	65.9%	0.1%
3	20.4%	49.8%	64.2%	0.1%
4	31.1%	51.6%	63.9%	0.4%
5	44.3%	50.2%	79.5%	5.2%
6	45.1%	51.0%	79.5%	5.6%
7	42.2%	54.4%	75.3%	3.9%
8	50.7%	52.5%	78.2%	6.8%

$$P(\hat{y} = k | y = k) \quad (k = 1, 2, 3, 4)$$

Of the long unsuccessful about 80% estimated correctly

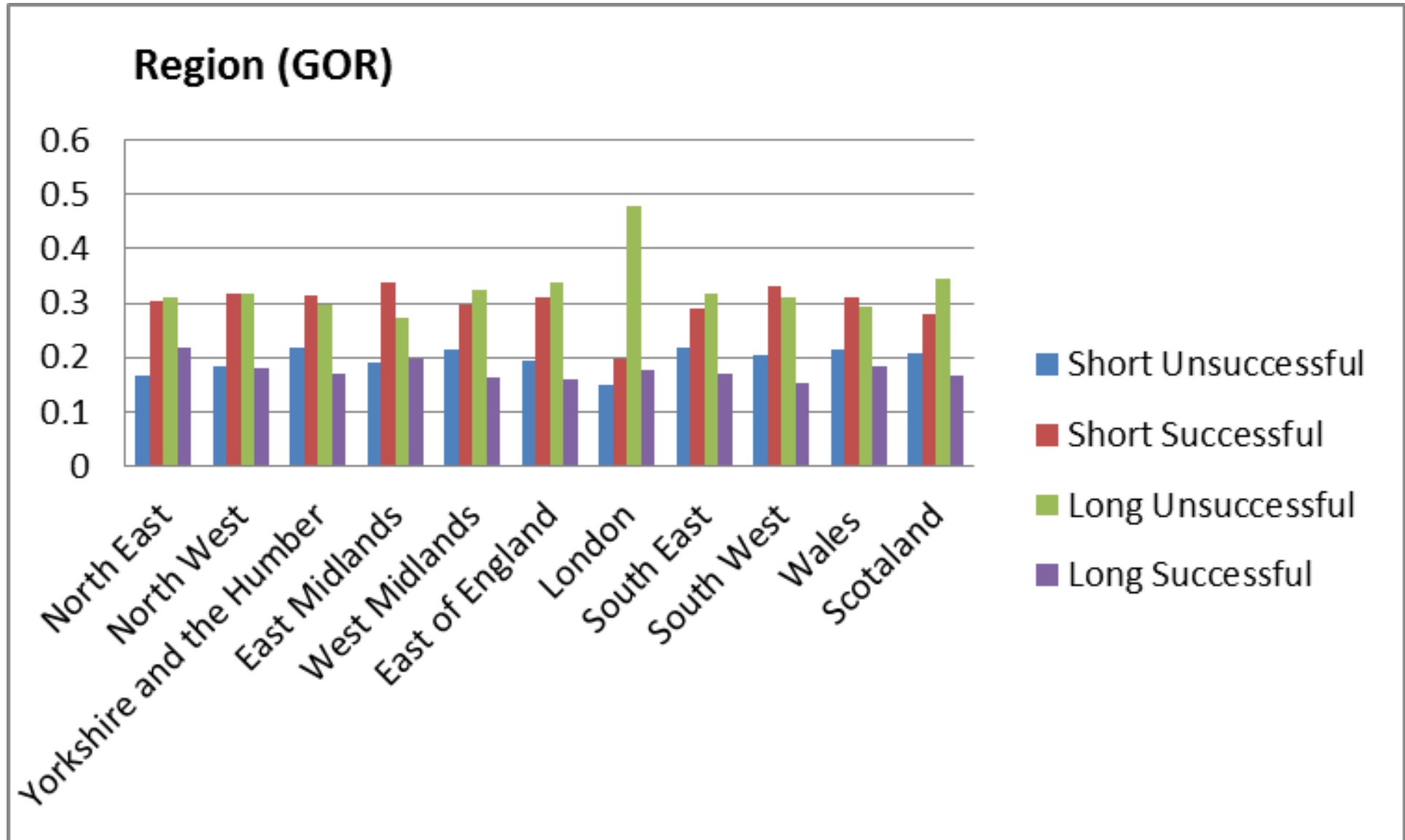
Results: Positive predicted value

		Short Unsuccessful (n=4962)	Short Successful (n=7391)	Long Unsuccessful (n=8603)	Long Successful (n=4402)
Predicted	Short Unsuccessful	58.7%	13.1%	22.1%	6.1%
	Short Successful	11.2%	63.6%	12.8%	12.4%
	Long Unsuccessful	13.4%	19.6%	45.7%	21.3%
	Long Successful	7.4%	28.3%	25.2%	39.1%

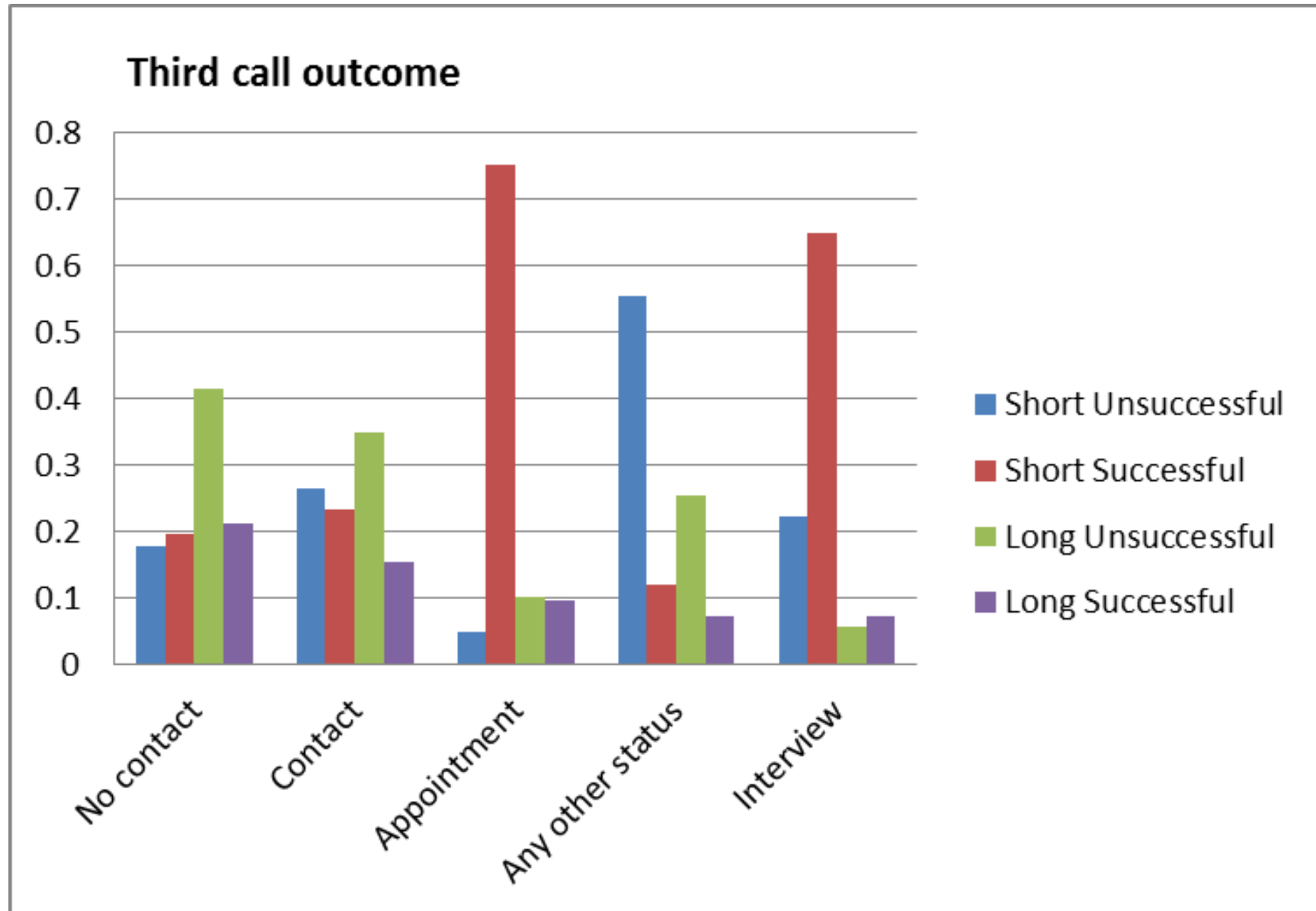
$$P(y = k | \hat{y} = k) \quad (k = 1, 2, 3, 4)$$

Of the cases predicted to be long unsuccessful 50% are indeed l.u.₂₂

Results: Predicted Values (multinomial)



Results: Predicted Values (multinomial)



Summary of results (call data)

- Adding more and more call data increases prediction in comparison to no call data (pseudo- R^2 from 6% to around 30%)
- Adding outcome of previous call(s) significantly improves prediction (pseudo- R^2 from 11% to around 40%)
- Variables better entered as raw outcomes rather than as summary measures
- Time of calls and time between calls are all significant variables but their impact on prediction limited; day of the week not significant in models

Summary of results (2)

- Modelling length and final outcome jointly improves prediction
- Interviewer observation variables all significant; including them increases prediction, but in absolute terms improvement small
- Basic geographic information not very predictive; using call record data greatly improves predictive power

Conclusions

- Novel is to model sequence length and to model length and outcome jointly
- Potentially a simple idea using standard methodology
- Can be implemented into survey practice quite easily
- Survey managers may wish to weigh up between the probability of a successful outcome versus sequence length; other dependent variables possible too

Further work

- Use models for **prediction at the next wave**:
 - take estimated coefficients based on wave 1 data and use them to predict length and final call outcome for wave 2 data
 - assess how predicted length and outcome compare to the true outcomes from wave 2
- Use the same strategy on wave 2 call data for prediction at wave 3, using also prior information from wave 1 (survey data and call record data).
- Monitor **nonresponse bias** across calls (quality of the (non-) respondents) (work with Correa and Smith); prioritization of cases

Thank you!

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(working paper available)

A remark

- Cannot establish causal links but merely associations between the response and the explanatory variables since observational data and not experimental data
- However, not a limitation since aims to models for prediction and for comparison of different models (analysis does not need to establish causal links)