Workshop on the Standard Model and Beyond
Corfu Summer Institute
24 August - 3 September 2025

SO(10)-inspired

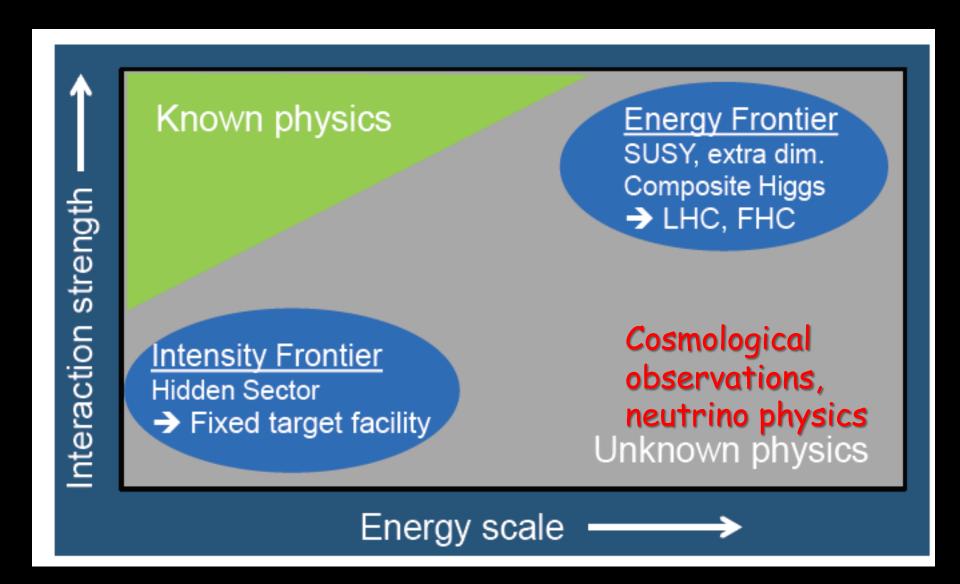
Leptogenesis

(mainly based on 2507.06144 with Xubin Hu

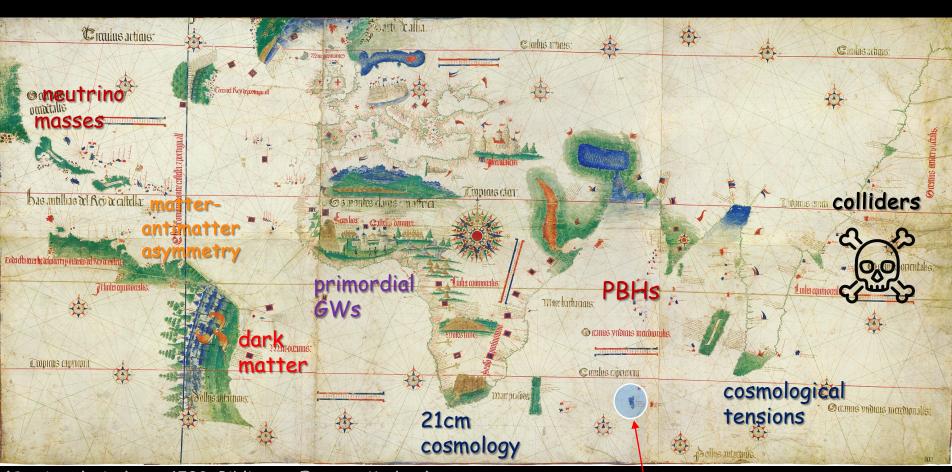
Pasquale Di Bari
(University of Southampton)

New frontiers

(SHIP proposal, 1504.04855)



A map to new physics?



(Cantino planisphere, 1502, Biblioteca Estense Modena)

excess radio background (CORFU24)

Fitting the ARCADE 2 excess radio background

(Dev, PDB, Martinez-Soler, Roshan 2312.03082)

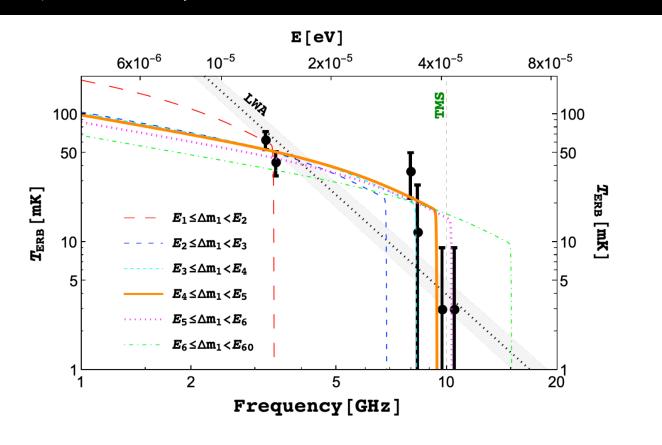
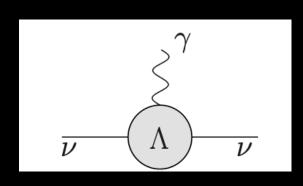


Figure 2. Best fit curves for $T_{\rm ERB}$ obtained with Eq. (3.2). The thick solid orange curve corresponds to a solution very close to the best global fit ($\Delta m_1 = 4.0 \times 10^{-5} \,\mathrm{eV}$ and $\tau_1 = 1.46 \times 10^{21} \,\mathrm{s}$). The ARCADE 2 data points are taken from Ref. [1], while the power-law fit $\beta = -2.58 \pm 0.05$ (dotted line with grey shade) is from [3].

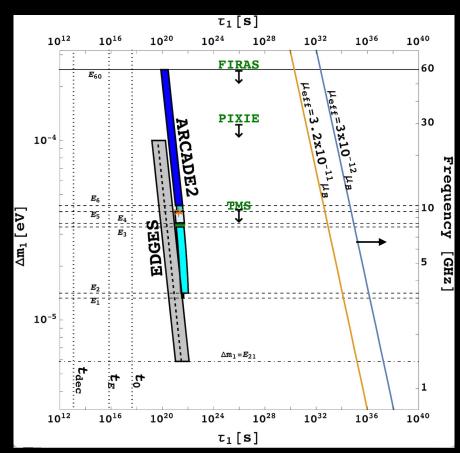
For our best fit we find $\chi^2/4$ d.of. =0.96, to be compared with $\chi^2/4$ d.of. =2.5 for the power law

A clash with the upper limits on the effective magnetic moment

(Dev, PDB, Martinez-Soler, Roshan in preparation)



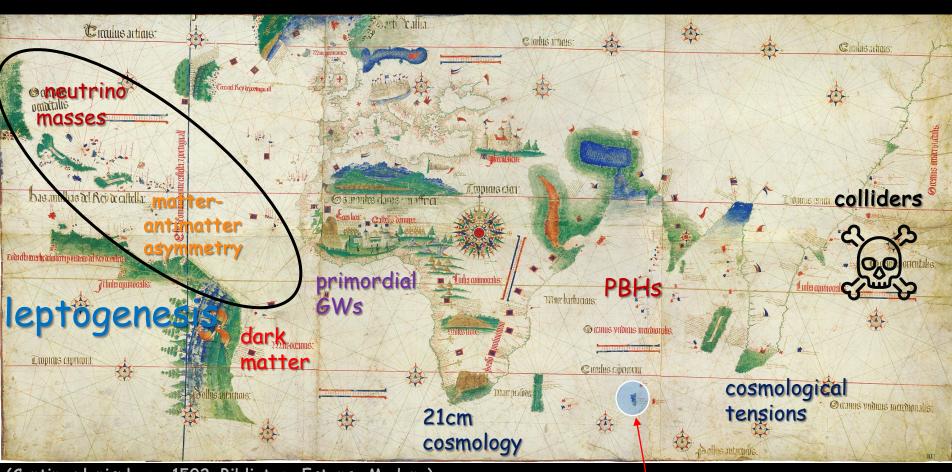
$$\Gamma_{\nu_j \to \nu_i + \gamma} = \frac{\mu_{\mathrm{eff},ij}^2}{8\pi} \left(\frac{m_j^2 - m_i^2}{m_j}\right)^3$$



This clash is very challenging but certainly interesting: which way to solve it? Stay tuned.

Talk at Tensions in Cosmology this Thursday paper likely out the same day

A map to new physics?

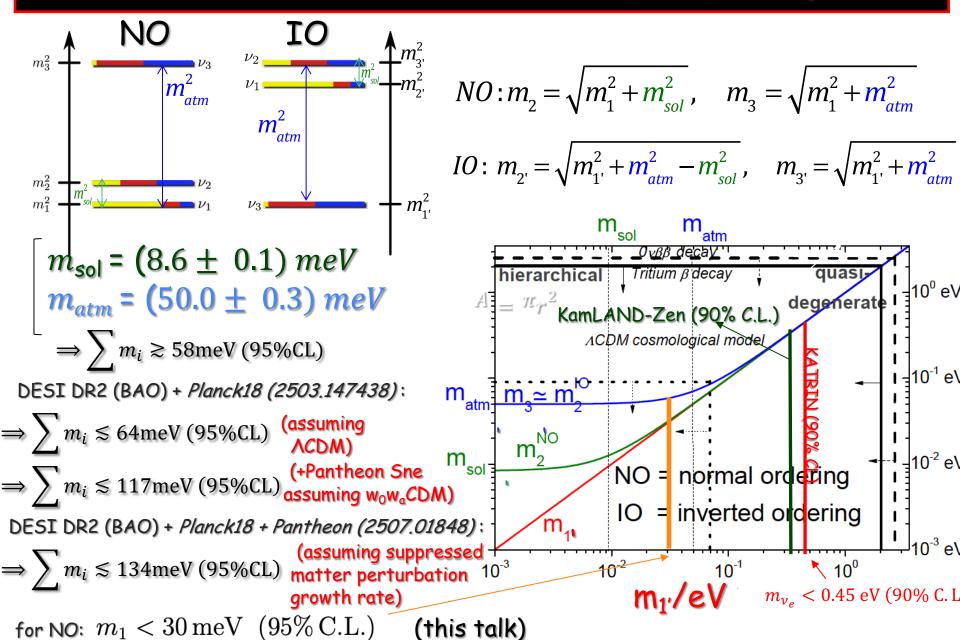


(Cantino planisphere, 1502, Biblioteca Estense Modena)

Preamble

- \square A common statement is that high scale leptogenesis is untestable.
- □ SO(10)-inspired leptogenesis, especially in its STRONG THERMAL version, provides a counter-example clearly showing that, though challenging, it is possible, even just with standard low energy neutrino experiments, to have a high-scale leptogenesis scenario that is highly predictive, it is already getting tested now and has the potential for a high statistical significance support (or to be relatively quickly ruled out).
- Also, new phenomenological avenues toward tests of high scale scenarios are now possible and intensively explored, mainly thanks to GW discovery.

Neutrino masses (m₁ < m₂ < m₃)



Neutrino mixing parameters:

$$U_{\alpha i} = \left(\begin{array}{ccc} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} \end{array} \right) = \left(\begin{array}{ccc} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta} \\ -s_{12}c_{23}-c_{12}s_{23}s_{13}e^{i\delta} & c_{12}c_{23}-s_{12}s_{23}s_{13}e^{i\delta} & s_{23}c_{13} \\ s_{12}s_{23}-c_{12}c_{23}s_{13}e^{i\delta} & -c_{12}s_{23}-s_{12}c_{23}s_{13}e^{i\delta} & c_{23}c_{13} \end{array} \right) \left(\begin{array}{ccc} e^{i\rho} & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & e^{i\sigma} & 0 & 0 \end{array} \right)$$

$$= \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13}e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} e^{i\rho} & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & e^{i\sigma} \end{pmatrix}$$

PDG: $\alpha_{31} = 2(\sigma - \rho)$ $\alpha_{21} = -2\rho$

Atmospheric, LB

Reactors, LB (CP violation)

Solar, Reactors

ββον decay

 $c_{ij} \equiv \cos \theta_{ij}$, $s_{ij} \equiv \sin \theta_{ij}$

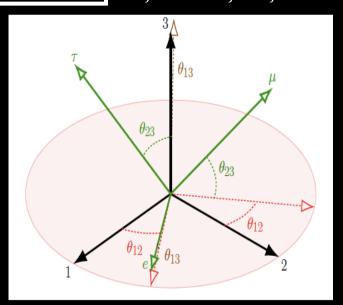
30 ranges (NO)

$$\theta_{12}$$
= [31.63°, 35.95°]
 θ_{13} = [8.19°, 8.89°]
 θ_{23} = [41.3°, 49.9°]
 δ = [-236°, 4°]
 ρ , σ = [0°, 360°]

(vfit September 2024, with SK atm. data)

NO favoured over IO:

 $\Delta \chi^2$ (IO-NO)=6.1



Minimally extended SM

$$\mathcal{L} = \mathcal{L}_{SM} + \mathcal{L}_{Y}^{\nu}$$

$$\mathcal{L} = \mathcal{L}_{SM} + \mathcal{L}_{Y}^{\nu}$$
 $-\mathcal{L}_{Y}^{\nu} = \overline{\nu_{L}} h^{\nu} \nu_{R} \phi \Rightarrow -\mathcal{L}_{mass}^{\nu} = \overline{\nu_{L}} m_{D} \nu_{R}$

Dirac Mass

(in a basis where charged lepton mass matrix is diagonal)

diagonalising
$$m_D$$
:

$$m_{\scriptscriptstyle D} = V_{\scriptscriptstyle L}^{\dagger} D_{\scriptscriptstyle m_{\scriptscriptstyle D}} U_{\scriptscriptstyle R}$$

diagonalising
$$\mathbf{m}_{\mathrm{D}}$$
: $m_{D} = V_{L}^{\dagger} D_{m_{D}} U_{R}$ $D_{m_{D}} \equiv \begin{pmatrix} m_{D1} & 0 & 0 \\ 0 & m_{D2} & 0 \\ 0 & 0 & m_{D3} \end{pmatrix}$

$$\Rightarrow$$

neutrino masses:

$$m_i = m_{Di}$$

leptonic mixing matrix: $U = V_L^{\dagger}$

$$U = V_L^{\dagger}$$

But many unanswered questions:

- Why neutrinos are much lighter than all other fermions?
- Why large mixing angles (differently from CKM angles)?
- Cosmological puzzles?
- Why not a Majorana mass term as well?

Minimal seesaw mechanism (type I)

•Dirac + (right-right) Majorana mass terms

(Minkowski '77; Gell-mann,Ramond,Slansky; Yanagida; Mohapatra,Senjanovic '79)

$$-\mathcal{L}_{\mathrm{mass}}^{
u} = \overline{\nu_L} \, m_D \,
u_R + \frac{1}{2} \overline{\nu_R^c} \, M \,
u_R + \mathrm{h.c.}$$
 violates lepton number

In the see-saw limit (M \gg m_D) the mass spectrum splits into 2 sets:

• 3 light Majorana neutrinos with masses (seesaw formula):

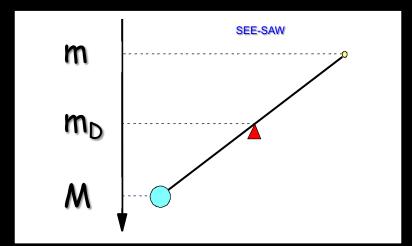
$$\operatorname{diag}(m_1, m_2, m_3) = -U^{\dagger} m_D \frac{1}{M} m_D^T U^{\star}$$

• 3(?) very heavy Majorana neutrinos N_{I} , N_{II} , N_{III} with $M_{III}>M_{II}>M_{I}>M_$

1 generation toy model: $m_D \sim m_{top}$,

$$m \sim m_{atm} \sim 50 \text{ meV}$$

$$\Rightarrow$$
 M~M_{GUT} ~ 10^{16} GeV



3 generation seesaw models: two limits

In the flavour basis (both charged lepton mass and Majorana mass matrices are diagonal):

$$-\mathcal{L}_{\text{mass}}^{\nu+\ell} = \overline{\alpha_L} \, m_{\alpha} \, \alpha_R + \overline{\nu_{L\alpha}} \, m_{D\alpha I} \, \nu_{RI} + \frac{1}{2} \, \overline{\nu_{RI}^c} \, M_I \, \nu_{RI} + \text{h.c.}$$

$$I = 1,2,3$$

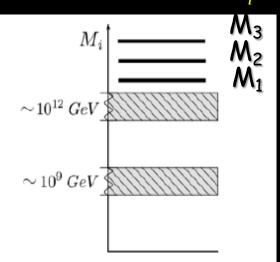
bi-unitary parameterisation: $m_D = V_L^\dagger D_{m_D} U_R$ $D_{m_D} \equiv diag(m_{D1}, m_{D2}, m_{D3})$

FIRST (EASY) LIMIT: ALL MIXING FROM THE LEFT-HANDED SECTOR

• $U_R=I \implies again \ U=V_L^{\dagger}$ and neutrino masses: $m_i=\frac{m_{Di}^2}{M_I}$ If also $m_{D1}=m_{D2}=m_{D3}=\lambda$ then simply: $M_I=\frac{\lambda^2}{m_i}$

Exercise: $\lambda \sim 100 \, GeV$

$$m_1 \sim 10^{-4} eV$$
 $\Rightarrow M_3 \sim 10^{17} GeV$
 $m_2 = m_{sol} \sim 10 meV \Rightarrow M_2 \sim 10^{15} GeV$
 $m_3 = m_{atm} \sim 50 meV \Rightarrow M_1 \sim 10^{14} GeV$



Typically RH
neutrino mass
spectrum emerging
in simple discrete
flavour symmetry
models

A SECOND LIMIT: ALL MIXING FROM THE RH SECTOR

(Branco et al. '02; Nezri, Orloff '02; Akhmedov, Frigerio, Smirnov '03; PDB, Riotto '08; PDB, Re Fiorentin '12)

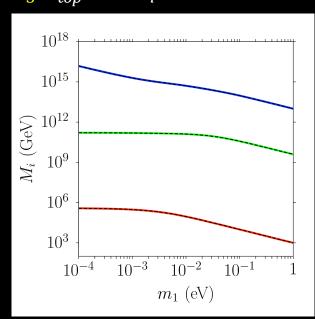
•
$$V_{L}=I \implies M_{1}=\frac{m_{D1}^{2}}{m_{\beta\beta}}; \quad M_{2}=\frac{m_{D2}^{2}}{m_{1}m_{2}m_{3}}\frac{m_{\beta\beta}}{|(m_{v}^{-1})_{\tau\tau}|}; \quad M_{3}=m_{D3}^{2}|(m_{v}^{-1})_{\tau\tau}|$$

If one also imposes (SO(10)-inspired models)

$$m_{D1} = \alpha_1 m_{up}; \quad m_{D2} = \alpha_2 m_{charm}; \quad m_{D3} = \alpha_3 m_{top}; \quad \alpha_i = O(1)$$

Barring very fine-tuned solutions, one obtains a very hierarchical RH neutrino mass spectrum

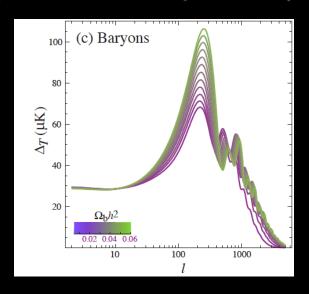
Combining discrete flavour + grand unified symmetries one can obtain all mass spectra between these two limits



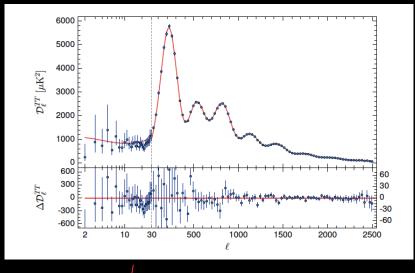
How can we test the existence of these very heavy seesaw neutrinos and their mass spectrum?

Baryon asymmetry of the universe

(Hu, Dodelson, astro-ph/0110414)



(Planck 2018, 1807.06209)



$$\Omega_{R0}h^2 = 0.02242 \pm 0.00014$$

$$\eta_{B0} \equiv \frac{n_{B0} - \overline{n}_{B0}}{n_{\gamma 0}} \simeq \frac{n_{B0}}{n_{\gamma 0}} \simeq 273.5 \,\Omega_{B0} h^2 \times 10^{-10} = (6.12 \pm 0.04) \times 10^{-10} = \eta_{B0}^{CMB}$$

- Consistent with (older) BBN determination but more precise and accurate
- Today the asymmetry coincides with the matter abundance since there is no evidence of primordial antimatter
- Even though all 3 Sakharov conditions are satisfied in the SM, any attempt to reproduce the observed value fails by many orders of magnitude ⇒ it requires NEW PHYSICS!

Minimal scenario of leptogenesis (Fukugita, Yanagida '86)

- Type I seesaw mechanism
- •Thermal production of RH neutrinos: $T_{RH} \gtrsim T_{lep} \simeq M_i / (2 \div 10)$

heavy neutrinos decay
$$N_I \xrightarrow{\Gamma_I} L_I + \phi^{\dagger}$$
 $N_I \xrightarrow{\Gamma} L_I + \phi$

$$\varepsilon_{_{I}} \equiv -\frac{\Gamma - \Gamma}{\Gamma + \Gamma}$$

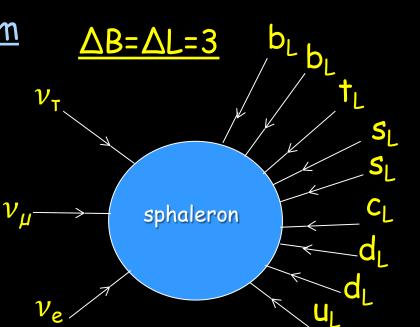
total CP asymmetries
$$\varepsilon_{I} \equiv -\frac{\Gamma - \overline{\Gamma}}{\Gamma + \overline{\Gamma}}$$
 $\Rightarrow N_{B-L}^{fin} = \sum_{I=1,2,3} \varepsilon_{I} \times \kappa_{I}^{fin}$ factors

Sphaleron processes in equilibrium

$$\Rightarrow$$
 T_{lep} \gtrsim T^{off}_{sphalerons} \simeq 132 GeV

(Kuzmin, Rubakov, Shaposhnikov '85 D'Onofrio, Rummukainen, Tranberg 1404.3565)

$$\Rightarrow \eta_{B0}^{lep} = \frac{\alpha_{sph} N_{B-L}^{fin}}{N_{\gamma}^{rec}} \simeq 0.01 N_{B-L}^{fin}$$



Seesaw parameter space

Combining $\eta_{B0}^{lep} \simeq \eta_{B0}^{CMB} \simeq 6 \times 10^{-10}$ with low energy neutrino data can we test seesaw and leptogenesis?

(Casas, Ibarra'01)
$$m_{\nu} = -m_{D} \frac{1}{M} m_{D}^{T} \Leftrightarrow \Omega^{T} \Omega = I$$
 Orthogonal parameterisation

$$m_{D} = U \begin{pmatrix} \sqrt{m_{1}} & 0 & 0 & 0 \\ 0 & \sqrt{m_{2}} & 0 & 0 \\ 0 & 0 & \sqrt{m_{3}} & 0 \end{pmatrix}$$
 (in a basis where charged lepton and Majorana mass matrices are diagonal)

light neutrino parameters escaping experimental information

- □ Popular solution: *low-scale* leptogenesis, potential direct discovery of RH neutrinos in lab neutrino experiments (no signs so far).
- ☐ High-scale leptogenesis is challenging to test but there are a few strategies able to reduce the number of parameters in order to obtain testable predictions on low energy neutrino parameters

Vanilla leptogenesis ⇒ upper bound on v masses

(Buchmüller,PDB,Plümacher '04; Blanchet, PDB '07,Garbrecht et al 2025)

- 1) Lepton flavor composition is neglected
- 2) Hierarchical spectrum $(M_2 \gtrsim 2M_1)$
- 3) Strong lightest RH neutrino wash-out

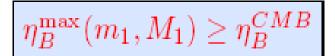
$$\eta_{B0} \simeq 0.01 N_{B-L}^{final} \simeq 0.01 \varepsilon_1 \kappa_1^{fin} (K_1, m_1)$$

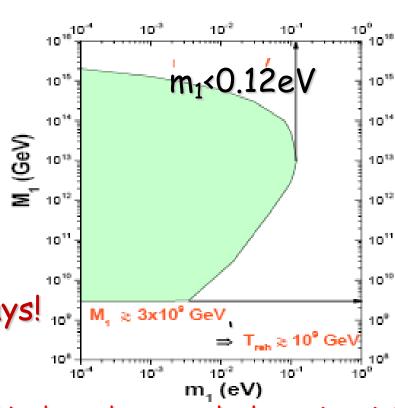
decay parameter: $K_1 \equiv \frac{\Gamma_{N_1}(T=0)}{H(T=M_1)}$

All the asymmetry is generated by the lightest RH neutrino decays!

4) Barring fine-tuned cancellations
(Davidson, Ibarra '02)

$$\varepsilon_1 \le \varepsilon_1^{\text{max}} \simeq 10^{-6} \left(\frac{M_1}{10^{10} \, \text{GeV}} \right) \frac{m_{\text{atm}}}{m_1 + m_2}$$





No dependence on the leptonic mixing matrix U: it cancels out!

IS SO(10)-INSPIRED LEPTOGENESIS RULED OUT?

Independence of the initial conditions (strong thermal leptogenesis)

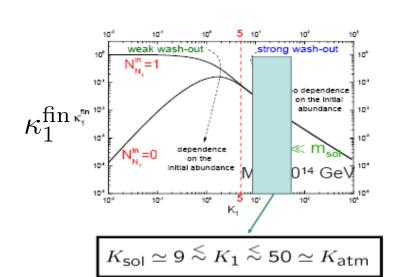
(Buchmüller,PDB,Plümacher '04) pwash-out of a pre-existing asymmetry N_{B-L}

$$N_{B-L}^{\text{p,final}} = N_{B-L}^{\text{p,initial}} e^{-\frac{3\pi}{8} K_1} \ll N_{B-L}^{\text{f,N}_1}$$

decay parameter:
$$K_1 \equiv \frac{\Gamma_{N_1}}{H(T=M_1)} \sqrt{\frac{m_{\rm sol,atm}}{m_{\star} \sim 10^{-3}\,{\rm eV}}} \sim 10 \div 50$$
 Just a coincidence?

equilibrium neutrino mass: $m_* = \frac{16\pi^{5/2}\sqrt{g_*}}{3\sqrt{5}}\frac{v^2}{M_{\rm Pl}} \simeq 1.08 \times 10^{-3} \text{ eV}.$

Independence of the initial N₁ abundance



N₂-leptogenesis

- (PDB hep-ph/0502082, Vives hep-ph/0512160; Blanchet,PDB 0807.0743)
 - Unflavoured case: asymmetry produced from

$$N_2$$
 - RH neutrinos is typically washed-out

$$\eta_{B0}^{lep(N_2)} \simeq 0.01 \cdot \varepsilon_2 \cdot \kappa^{fin}(K_2) \cdot e^{-\frac{3\pi}{8}K_1} << \eta_{B0}^{CMB}$$

Adding flavour effects: lighest RH neutrino wash-out acts on individual flavour \Rightarrow much weaker: $K_{1e}+K_{1\mu}+K_{1\tau}=K_1$

Μ,

$$N_{B-L}^{\rm f}(N_2) = P_{2e}^0 \, \varepsilon_2 \, \kappa(K_2) \, e^{-\frac{3\pi}{8} \, K_{1e}} + P_{2\mu}^0 \, \varepsilon_2 \, \kappa(K_2) \, e^{-\frac{3\pi}{8} \, K_{1\mu}} + P_{2\tau}^0 \, \varepsilon_2 \, \kappa(K_2) \, e^{-\frac{3\pi}{8} \, K_{1\tau}}$$

- With flavor effects the domain of successful N_2 dominated leptogenesis greatly enlarges: the probability that $K_1 < 1$ is less than 0.1% but the probability that either K_{1e} or $K_{1\mu}$ or $K_{1\tau}$ is less than 1 is ~50% (taking into account experimental data) (PDB, Michele Re Fiorentin, Rome Samanta 1812.07720)
- \succ Existence of the heaviest RH neutrino N_3 is necessary for the ϵ_{2a} 's not to be negligible
- > It is the only hierarchical scenario that can realise strong thermal leptogenesis (independence of the initial conditions) if the asymmetry is tauon-dominated and if $m_1 \gtrsim 10$ meV (corresponding to $\Sigma_i m_i \gtrsim 80$ meV)

(PDB, Michele Re Fiorentin, Sophie King arXiv 1401.6185)

Does N₂-leptogenesis (with flavour effects) rescue 50(10)-inspired models?

Imposing SO(10)-inspired conditions

(Branco et al. '02; Nezri, Orloff '02; Akhmedov, Frigerio, Smirnov '03; PDB, Riotto '08; PDB, Re Fiorentin '12)

Seesaw formula

$$m_{\nu} = -m_D \, \frac{1}{D_M} \, m_D^T \, .$$

Leptonic mixing matrix

$U^{\dagger} m_{\nu} U^{\star} = -D_m$

Bi-unitary parameterisation

$$m_D = V_L^{\dagger} D_{m_D} U_R$$

SO(10)-inspired conditions

$$m_{D1} = \alpha_1 \, m_u \,, \, m_{D2} = \alpha_2 \, m_c \,, \, m_{D3} = \alpha_3 \, m_t \,, \, \, (\alpha_i = \mathcal{O}(1))$$

Majorana mass matrix (in the Yukawa basis)

using
$$V_L \simeq I$$

$$\sim D_m^{-1} \, U^\dagger \, V_L^\dagger \, D_{m_D} \simeq - D_{m_D} \, m_\nu^{-1} \, D_{m_D}$$

$$U_R^{\star} D_M U_R^{\dagger} = M = D_{m_D} V_L^{\star} U^{\star} D_m^{-1} U^{\dagger} V_L^{\dagger} D_{m_D} \simeq -D_{m_D} m_{\nu}^{-1} D_{m_D}$$

RH neutrino mass spectrum $(V_L \simeq I)$

 $\rightarrow 0$ νββ neutrino mass

(Akhmedov,Frigerio,Smirnov, 2005; PDB, Re Fiorentin, Marzola,1411.5478)

$$U_{R} \simeq \begin{pmatrix} 1 & -\frac{m_{D1}}{m_{D2}} \frac{m_{\nu e\mu}^{\star}}{m_{\nu ee}^{\star}} & \frac{m_{D1}}{m_{D3}} \frac{(m_{\nu}^{-1})_{e\tau}^{\star}}{(m_{\nu}^{-1})_{\tau\tau}^{\star}} \\ \frac{m_{D1}}{m_{D2}} \frac{m_{\nu e\mu}}{m_{\nu ee}} & 1 & \frac{m_{D2}}{m_{D3}} \frac{(m_{\nu}^{-1})_{\mu\tau}^{\star}}{(m_{\nu}^{-1})_{\tau\tau}^{\star}} \\ \frac{m_{D1}}{m_{D3}} \frac{m_{\nu e\tau}}{m_{\nu ee}} & -\frac{m_{D2}}{m_{D3}} \frac{(m_{\nu}^{-1})_{\mu\tau}}{(m_{\nu}^{-1})_{\tau\tau}} & 1 \end{pmatrix} D_{\Phi} \qquad D_{\phi} \equiv \left(e^{-i\frac{\Phi_{1}}{2}}, e^{-i\frac{\Phi_{2}}{2}}, e^{-i\frac{\Phi_{3}}{2}}\right)$$

$$M_1 \simeq \frac{m_{D1}^2}{|m_{\nu ee}|} \simeq \frac{\alpha_1^2 \, m_u^2}{|m_{\nu ee}|} \simeq \alpha_1^2 \, 10^5 \, \text{GeV} \, \left(\frac{m_u}{1 \text{MeV}}\right)^2 \, \left(\frac{10 \, \text{meV}}{|m_{\nu ee}|}\right)$$

$$\Phi_1 = \operatorname{Arg}[-m_{\nu ee}^{\star}].$$

$$M_2 \simeq \frac{\alpha_2^2 \, m_c^2}{m_1 \, m_2 \, m_3} \frac{|m_{\nu ee}|}{|(m_{\nu}^{-1})_{\tau\tau}|} \simeq \alpha_2^2 \, 10^{11} \, \text{GeV} \, \left(\frac{m_c}{400 \, \text{MeV}}\right)^2 \, \left(\frac{|m_{\nu ee}|}{10 \, \text{meV}}\right)$$

$$\Phi_2 = \operatorname{Arg} \left| \frac{m_{\nu ee}}{(m_{\nu}^{-1})_{\tau\tau}} \right| - 2(\rho + \sigma)$$

$$M_3 \simeq \alpha_3^2 \, m_t^2 \, |(m_\nu^{-1})_{\tau\tau}| \simeq \alpha_3^2 \, 10^{15} \, \text{GeV} \, \left(\frac{m_t}{100 \, \text{GeV}}\right)^2 \, \left(\frac{\text{meV}}{m_1}\right) \, .$$

$$\Phi_3 = \text{Arg}[-(m_{\nu}^{-1})_{\tau\tau}]$$
.

Decrypting SO(10)-inspired leptogenesis $(V_L=I)$

(PDB, Re Fiorentin, Marzola, 1411.5478)

Finally, putting all together, one arrives to an expression for the final asymmetry:

$$N_{B-L}^{\text{lep,f}} \simeq \frac{3}{16\pi} \frac{\alpha_2^2 m_c^2}{v^2} \frac{|m_{\nu ee}| \left(|m_{\nu \tau \tau}^{-1}|^2 + |m_{\nu \mu \tau}^{-1}|^2 \right)^{-1}}{m_1 m_2 m_3} \frac{|m_{\nu \tau \tau}^{-1}|^2}{|m_{\nu \mu \tau}^{-1}|^2} \sin \alpha_L$$

$$\times \kappa \left(\frac{m_1 m_2 m_3}{m_{\star}} \frac{|(m_{\nu}^{-1})_{\mu \tau}|^2}{|m_{\nu ee}| |(m_{\nu}^{-1})_{\tau \tau}|} \right)$$

$$\times e^{-\frac{3\pi}{8} \frac{|m_{\nu e \tau}|^2}{m_{\star} |m_{\nu e e}|}}.$$

SO(10)-inspired leptogenesis phase

$$\alpha_L = \text{Arg}[m_{\nu ee}] - 2 \,\text{Arg}[(m_{\nu}^{-1})_{\mu\tau}] + \pi - 2(\rho + \sigma).$$

successful leptogenesis condition

$$\eta_{B}^{SO10lep}(m_{1}, m_{sol}, m_{atm}, \theta_{12}, \theta_{23}, \theta_{13}, \delta, \rho, \sigma; \alpha_{2}) = \eta_{B}^{obs}$$

This condition identifies an hypersurface in the space of low energy neutrino parameters

All numerical results are accurately reproduced for V_L =I

In particular, one has a strong tau-dominance:

$$\varepsilon_{2\tau} : \varepsilon_{2\mu} : \varepsilon_{2e} = \alpha_3^2 \, m_t^2 : \alpha_2^2 \, m_c^2 : \alpha_1^2 \, m_u^2 \, \frac{\alpha_3 m_t}{a_2 \, m_c} \, \frac{\alpha_1^2 \, m_u^2}{\alpha_2^2 \, m_c^2} \, .$$

Turning on a mismatch between neutrino Yukawa and weak basis (V_L≠1)

$$V_{L} = \begin{pmatrix} c^{L}c^{L} & s^{L}c^{L} & s^{L}e^{-i\delta_{L}} \\ -s^{L}c^{L} - c^{L}s^{L}s^{L}e^{i\delta_{L}} & c^{L}c^{L} - s^{L}s^{L}s^{L}e^{i\delta_{L}} \\ s^{L}c^{L} - c^{L}s^{L}s^{L}e^{i\delta_{L}} & c^{L}c^{L} - s^{L}s^{L}s^{L}e^{i\delta_{L}} \\ s^{L}s^{L} - c^{L}c^{L}s^{L}e^{i\delta_{L}} & -c^{L}s^{L}s^{L}e^{i\delta_{L}} \\ s^{L} & s^{L}c^{L} \\ s^{L}c^{L}$$

By definition in SO(10)-inspired leptogenesis: $0 \le \theta^{L_{ij}} \lesssim \theta^{CKM_{ij}} (\iff I \le V_{L} \lesssim V_{CKM})$

The upper bounds are not strictly determined, as far as the RH neutrino mass spectrum is such that one can assume N_2 -dominated leptogenesis.

Full analytical solution (V_L arbitrary): RH neutrino mass spectrum and mixing matrix

light neutrino mass matrix in the Yukawa basis

$$m_{_{V}} \rightarrow \tilde{m}_{_{V}} = V_{_{L}} m_{_{V}} V_{_{L}}^T$$

RH neutrino masses
$$M_1 \simeq \frac{\alpha_1^2 m_u^2}{|(\tilde{m}_v)_{11}|}, \ M_2 \simeq \frac{\alpha_2^2 m_c^2}{m_1 m_2 m_3} \frac{|(\tilde{m}_v)_{11}|}{|(\tilde{m}_v^{-1})_{33}|}, \ M_3 \simeq \alpha_3^2 m_t^2 |(\tilde{m}_v^{-1})_{33}|$$

RH neutrino phases
$$\Phi_{1} \simeq -\text{Arg}[-(\tilde{m}_{v})_{11}^{*}], \ \Phi_{2} \simeq \text{Arg}\left[\frac{(\tilde{m}_{v})_{11}}{(\tilde{m}_{v}^{-1})_{33}}\right] - 2(\rho + \sigma) - 2(\rho_{L} + \sigma_{L}), \ \Phi_{3} \simeq \text{Arg}[(\tilde{m}_{v}^{-1})_{33}]$$

RH neutrino mixing matrix

$$U_{R} \simeq \begin{pmatrix} 1 & -\frac{m_{D1}}{m_{D2}} \frac{(\tilde{m}_{v})_{12}^{*}}{(\tilde{m}_{v})_{11}^{*}} & \frac{m_{D1}}{m_{D3}} \frac{(\tilde{m}_{v}^{-1})_{13}^{*}}{(\tilde{m}_{v}^{-1})_{33}^{*}} \\ \frac{m_{D1}}{m_{D2}} \frac{(\tilde{m}_{v})_{12}}{(\tilde{m}_{v})_{11}} & 1 & \frac{m_{D2}}{m_{D3}} \frac{(\tilde{m}_{v}^{-1})_{23}^{*}}{(\tilde{m}_{v}^{-1})_{33}^{*}} \\ \frac{m_{D1}}{m_{D3}} \frac{(\tilde{m}_{v}^{-1})_{13}}{(\tilde{m}_{v}^{-1})_{33}} & -\frac{m_{D2}}{m_{D3}} \frac{(\tilde{m}_{v}^{-1})_{23}}{(\tilde{m}_{v}^{-1})_{33}} & 1 \end{pmatrix} D_{\Phi} , \quad D_{\Phi} \equiv \begin{pmatrix} e^{-i\frac{\Phi_{1}}{2}}, e^{-i\frac{\Phi_{2}}{2}}, e^{-i\frac{\Phi_{3}}{2}} \\ e^{-i\frac{\Phi_{3}}{2}}, e^{-i\frac{\Phi_{3}}{2}}, e^{-i\frac{\Phi_{3}}{2}} \end{pmatrix}$$

$$D_{\Phi} , D_{\Phi} \equiv \left(e^{-i\frac{\Phi_1}{2}}, e^{-i\frac{\Phi_2}{2}}, e^{-i\frac{\Phi_3}{2}}\right)$$

Full analytical solution for the asymmetry ($I \le V_L \le V_{CKM}$)

$$K_{I\alpha} = \frac{\sum_{k,l} m_{Dk} m_{Dl} V_{Lk\alpha} V_{Ll\alpha}^* U_{RkI}^* U_{Rli}}{M_I m_*}$$

$$\varepsilon_{2\alpha} = \frac{3}{16\pi v^2} \frac{\left| (\tilde{m}_{v})_{11} \right|}{m_{1} m_{2} m_{3}} \frac{\sum_{k,l} m_{Dk} m_{Dl} \operatorname{Im}[V_{Lk\alpha} V_{Ll\alpha}^{*} U_{Rk2}^{*} U_{Rl3} U_{R32}^{*} U_{R33}]}{\left| (\tilde{m}_{v}^{-1})_{33} \right|^{2} + \left| (\tilde{m}_{v}^{-1})_{23} \right|^{2}}$$

Final B-L asymmetry
$$N_{B-L}^{\mathrm{lep,f}} = \varepsilon_{2e} \kappa(K_{2e} + K_{2\mu}) \, e^{-\frac{3\pi}{8} K_{1e}} + \varepsilon_{2\mu} \kappa(K_{2e} + K_{2\mu}) \, e^{-\frac{3\pi}{8} K_{1\mu}} + \varepsilon_{2\tau} \kappa(K_{2\tau}) \, e^{-\frac{3\pi}{8} K_{1\tau}}$$

This time one has:
$$\eta_B^{SO10lep}(m_1,m_{sol},m_{atm},\theta_{12},\theta_{23},\theta_{13},\delta,\rho,\sigma;\alpha_2,V_L)=\eta_B^{obs}$$

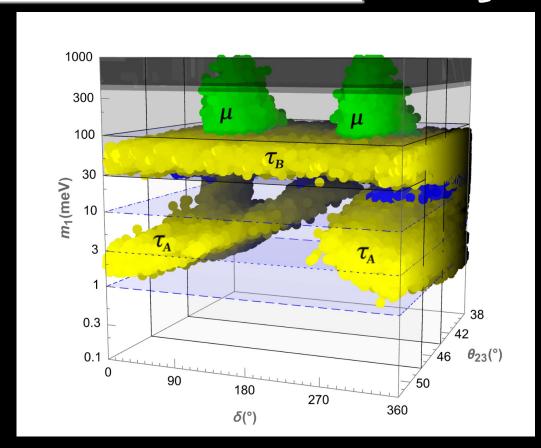
The dependence on the 6 parameters in V_L give some thickness to the hypersurface that becomes a layer but the smallness of the θ^L_{ij} however still make in a way that constraints do relax but in general do not evaporate.

Also notice that now:
$$\varepsilon_{_{2e}}^{\max} : \varepsilon_{_{2\mu}}^{\max} : \varepsilon_{_{2\tau}}^{\max} \simeq 1 : |V_{_{L23}}| : |V_{_{L21}}V_{_{L31}}|$$

This explains why tauon solutions are still favoured but this time also muon solutions appear and in the supersymmetric case even very marginal electron solutions

3-dim projection of the allowed region (NO)

α2=5 NORMAL ORDERING I ≤ V_L ≤V_{CKM}



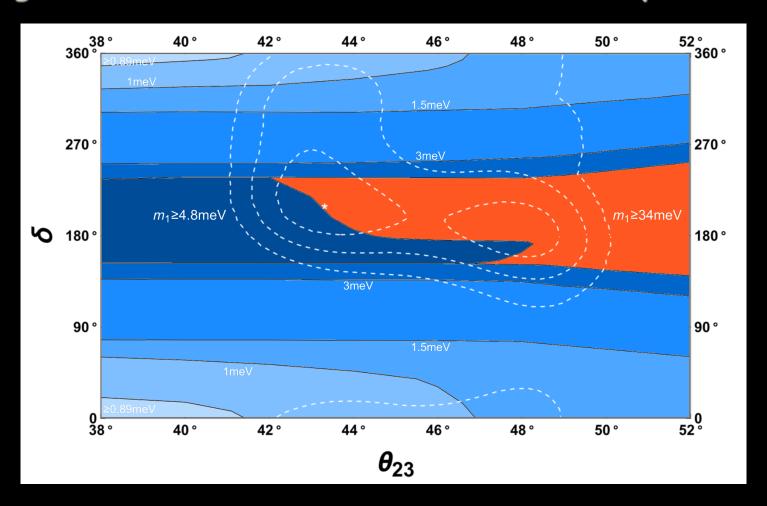
~2x10⁶ points out of ~2x10⁹ trials (success rate is ~0.1%)

(PDB, R. Samanta 2005.03057; PDB, Xubin Hu 2507.06144)

> N₂-leptogenesis (with flavour effects) does rescue SO(10)-inspired models! It works only for NO

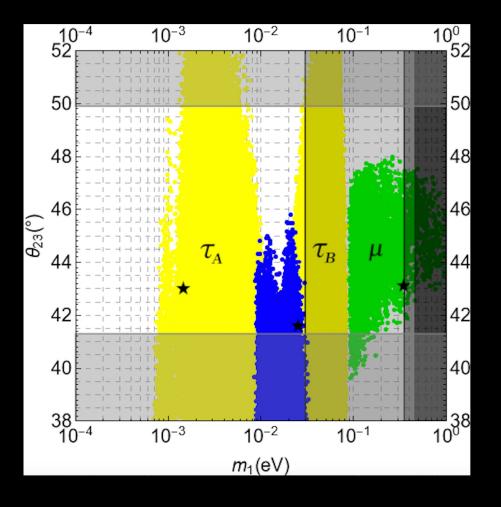
(PDB, Riotto 0809.2285 and 1012.2343;0810.1104)

SO(10)-inspired leptogenesis confronting long baseline and absolute neutrino mass experiments



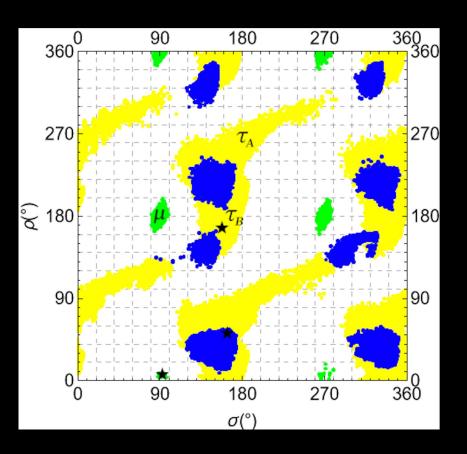
There is a large area in the plane δ vs. θ_{23} where current cosmological upper bound on m_1 would rule out SO(10)-inspired leptogenesis (clear example of testability but and predictive power of the scenario)

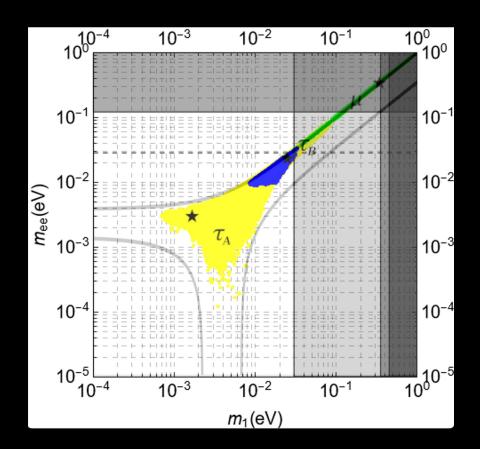
Upper bound on the atmospheric mixing angle



For 10 meV $\lesssim m_1 \lesssim$ 30 meV the atmospheric mixing angle has to be in the first octant

Majorana phases and $0\nu\beta\beta$ effective neutrino mass





There are strong constraints on the Majorana phases and this yields a lower bound on mee

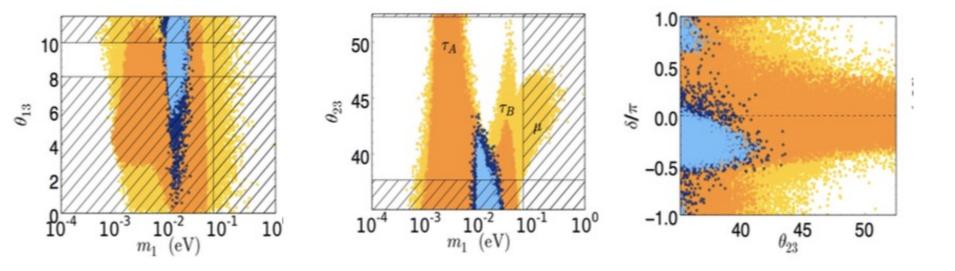
KamLAND2-Zen aims at starting in 2027 improving the upper bound to m_{ee} < 20 meV in 5 years (see talk by Shimizu at Neutrino 2024)

Strong thermal SO(10)-inspired leptogenesis

(PDB, Marzola 09/2011, DESY workshop and 1308.1107; PDB, Re Fiorentin, Marzola 1411.547

Strong thermal leptogenesis condition can be satisfied for a subset of the solutions only for <u>NORMAL ORDERING</u>

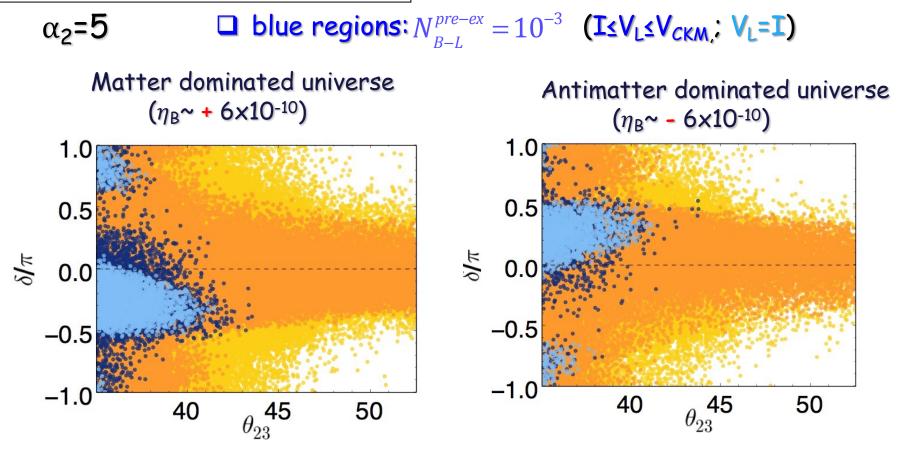
$$\alpha_2=5$$
 Dlue regions: $N_{B-L}^{pre-ex}=10^{-3}$ (I \leq V_{CKM})



- ➤ Absolute neutrino mass scale: $8 \le m_1/\text{meV} \le 30 \Leftrightarrow 70 \le \sum_i m_i/\text{meV} \le 120$
- \triangleright Non-vanishing Θ_{13} (first results presented before Daya Bay discovery)
- \triangleright Θ_{23} preferably in the first octant;

Why do we live in a matter (and not antimatter) dominated universe?

(PDB, Marzola, Re Fiorentin, 1411.5478)



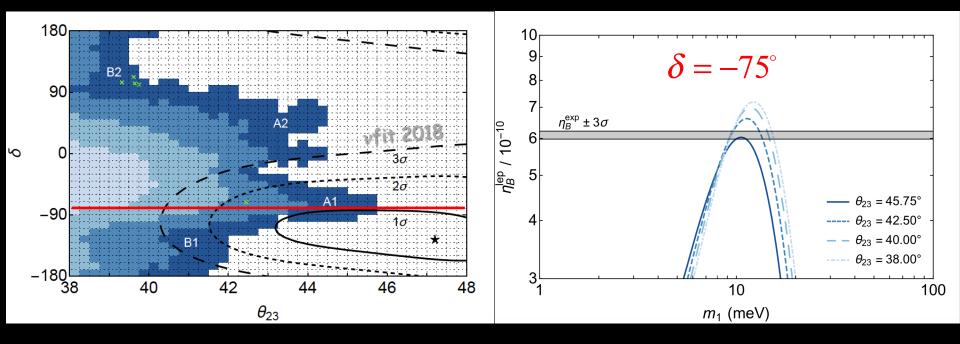
For sufficiently large θ_{23} one has sign(η_B)=-sign(sin δ)

 \Rightarrow We would live in a matter dominated universe because $\sin \delta < 0$

Strong SO(10)-inspired leptogenesis confronting long baseline experiments (PDB, Marco Chianese 1802.07690)

Pre-existing initial asymmetry:
$$N_{B-L}^{p,i} = 10^{-3}$$

$$\alpha_2 = m_{D2} \, / \, m_{charm} = 5$$

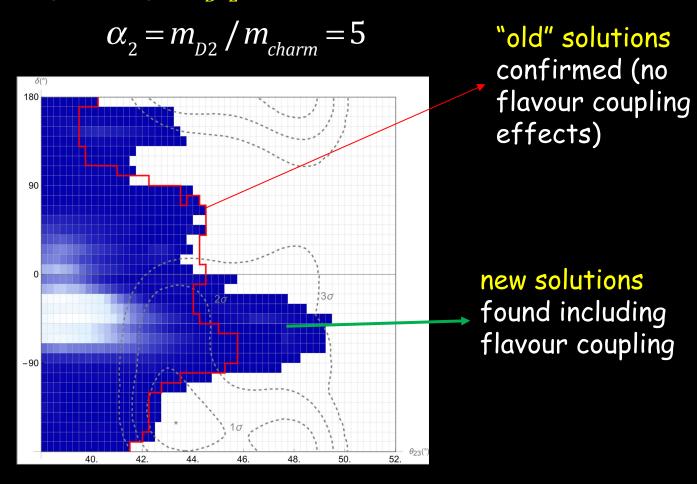


"The more stringent experimental lower bound on atmospheric mixing angle starts to corner STSO10-leptogenesis"

New atmospheric neutrino data seem to remove the tension (PDB, Xubin Hu, in preparation)

The new SK atmospheric data seem to favour first octant when combined in global analysis (ν fit September 2024) and moreover $\Delta \chi^2$ (IO-NO)=6.1: there is a potential interesting overlap now

Pre-existing initial asymmetry: $N_{B-L}^{p,i} = 10^{-3}$



Is the asymmetry correctly calculated?

The are 4 main effects that are neglected in the calculation of the asymmetry:

- Flavour coupling effects from spectator processes
- Radiative corrections and running of the parameters
- Full density matrix calculation
- Momentum dependence

Each of this effect is expected to give corrections without changing the main features. At the same time they slow down the calculation and scatter plots with millions of points are hard to obtain including all of them.

Including flavour coupling

(Antusch, PDB, Jones and King 2010)

The Higgs asymmetry acts in inverse decays indistinctly on any flavour so if you produce an asymmetry in one flavour then inverse decays will generate an asymmetry also in the other two flavours. The evolution of the flavour asymmetries gets coupled:

$$\frac{dN_{\Delta_{\alpha}}}{dz_{1}} = -P_{1\alpha}^{0} \sum_{\beta} C_{\alpha\beta}^{(3)} W_{1}^{\text{ID}} N_{\Delta_{\beta}} ,$$

The solution for the asymmetry in one flavour now contains 9 terms instead of just one (i.e., the total B-L asymmetry contains 27 terms)

$$N_{\Delta_{\alpha}}^{f} = V_{\alpha e''}^{-1} \left[\sum_{\beta} V_{e''\beta} N_{\Delta_{\beta}}^{T \sim T_{L}} \right] e^{-\frac{3\pi}{8} K_{1e''}}$$

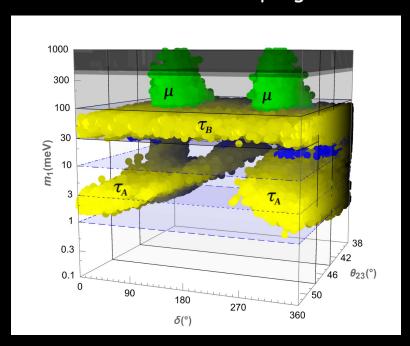
$$+ V_{\alpha \mu''}^{-1} \left[\sum_{\beta} V_{\mu''\beta} N_{\Delta_{\beta}}^{T \sim T_{L}} \right] e^{-\frac{3\pi}{8} K_{1\mu''}}$$

$$+ V_{\alpha \tau''}^{-1} \left[\sum_{\beta} V_{\tau''\beta} N_{\Delta_{\beta}}^{T \sim T_{L}} \right] e^{-\frac{3\pi}{8} K_{1\tau''}}.$$

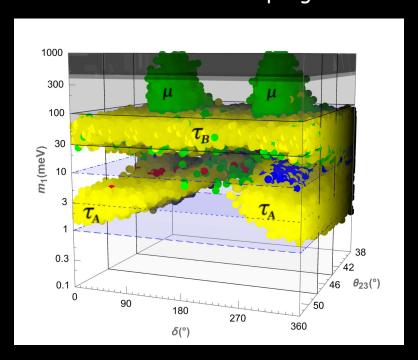
3-dim projection of the allowed region (NO)

α2=5 NORMAL ORDERING I ≤ V_L ≤V_{CKM}

Without flavour coupling



With flavour coupling

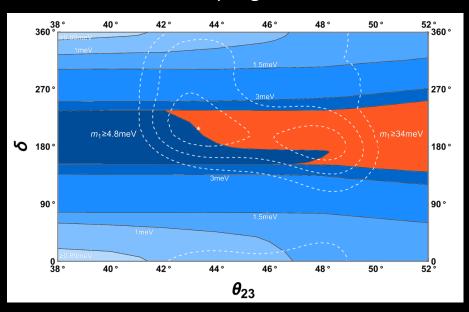


(PDB, Xubin Hu 2507.06144)

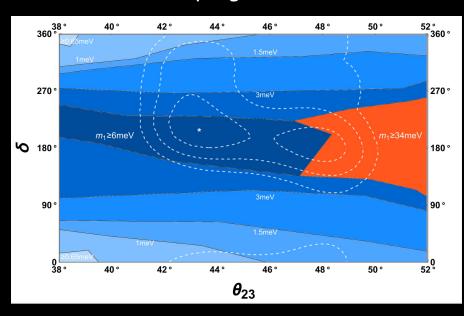
Including flavour coupling, new muonic solutions appear and even some very marginal electron solutions (red points)

50(10)-inspired leptogenesis confronting long baseline and absolute neutrino mass experiments

Without flavour coupling



With flavour coupling

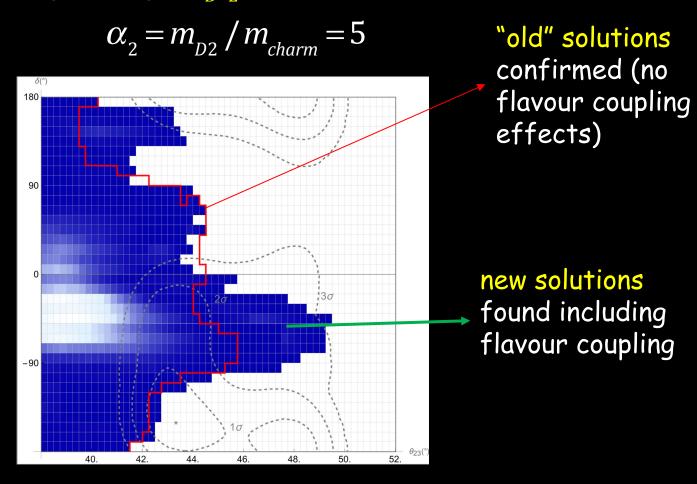


(PDB, Xubin Hu 2507.06144)

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The new SK atmospheric data seem to favour first octant when combined in global analysis (ν fit September 2024) and moreover $\Delta \chi^2$ (IO-NO)=6.1: there is a potential interesting overlap now

Pre-existing initial asymmetry: $N_{B-L}^{p,i} = 10^{-3}$



Leptogenesis in SO(10) with a minimal Yukawa sector

(Babu, Bajc, Saad, 1612.04329; K Babu, PDB, C.S. Fong, S. Saad 2409.03840)

- The most attractive models realizing SO(10)-inspired leptogenesis areSO(10) models!
- SO(10) unifies all fermions of a generation into a single spinorial 16-dimensional representation that, in addition to SM fermions, contains 1 RH neutrino: it naturally predicts 3 RH neutrino species
- Masses of fermions arise from Yukawa interactions of two 16s with vevs of suitable Higgs fields. Since:

$$16 \otimes 16 = 10_S \oplus \overline{126}_S \oplus 120_A$$

⇒ The Higgs fields of <u>renormalizable</u> SO(10) models can belong to 10-, 126-,120-dim representations yielding Yukawa part of the Lagrangian

$$\mathcal{L}_Y = 16 \left(Y_{10} 10_H + Y_{126} \overline{126}_H + Y_{120} 120_H \right) 16.$$

After SSB of the fermions at M_{GUT}=2×10¹⁶ GeV one obtains the masses:

up-quark mass matrix
down-quark mass matrix
neutrino mass matrix
charged lepton mass matrix
RH neutrino mass matrix

$$\begin{split} M_u &= v_{10}^u Y_{10} + v_{126}^u Y_{126} + v_{120}^u Y_{120} \,, \\ M_d &= v_{10}^d Y_{10} + v_{126}^d Y_{126} + v_{120}^d Y_{120} \,, \\ M_D &= v_{10}^u Y_{10} - 3v_{126}^u Y_{126} + v_{120}^D Y_{120} \,, \\ M_l &= v_{10}^d Y_{10} - 3v_{126}^d Y_{126} + v_{120}^l Y_{120} \,, \\ M_R &= v_{126}^R Y_{126} \,, \end{split}$$

Simplest case but clearly non-realistic: it predicts no mixing at all (both in quark and lepton Sectors). For realistic models one has to add at least the 126 contribution

A recent realistic fit

(K Babu, PDB, C.S. Fong, S. Saad 2409.03840)

Observables	Values at M_Z scale		
$(\Delta m_{ij}^2 \text{ in eV}^2)$	Input	Benchmark Fit: NO	Benchmark Fit: IO
$y_u/10^{-6}$	$6.65{\pm}2.25$	7.30	10.0
$y_c/10^{-3}$	$3.60{\pm}0.11$	3.59	3.57
y_t	$0.986{\pm}0.0086$	0.986	0.986
$y_d/10^{-5}$	1.645 ± 0.165	1.636	1.635
$y_s/10^{-4}$	$3.125{\pm}0.165$	3.122	3.148
$y_b/10^{-2}$	$1.639 {\pm} 0.015$	1.639	1.637
$y_e/10^{-6}$	2.7947 ± 0.02794	2.7945	2.7906
$y_{\mu}/10^{-4}$	5.8998 ± 0.05899	5.9011	5.9080
$y_{ au}/10^{-2}$	1.0029 ± 0.01002	1.0022	1.0023
$\theta_{12}^{\rm CKM}/10^{-2}$	22.735 ± 0.072	$22.729 \ (\theta_{12}^{\text{CKM}} = 13.023^{\circ})$	$22.730 \ (\theta_{12}^{\text{CKM}} = 13.023^{\circ})$
$\theta_{23}^{\rm CKM}/10^{-2}$	$4.208{\pm}0.064$	$4.206 \ (\theta_{23}^{\text{CKM}} = 2.401^{\circ})$	$4.204 \ (\theta_{23}^{\text{CKM}} = 2.408^{\circ})$
$\theta_{13}^{\rm CKM}/10^{-3}$	$3.64{\pm}0.13$	$3.64 \ (\theta_{13}^{\text{CKM}} = 0.208^{\circ})$	$3.64~(\theta_{13}^{\mathrm{CKM}}=0.208^{\circ})$
$\delta_{ m CKM}$	1.208 ± 0.054	$1.209 \ (\delta_{\rm CKM} = 69.322^{\circ})$	$1.212~(\delta_{\rm CKM}=69.457^{\circ})$
$\Delta m_{21}^2/10^{-5}$	$7.425{\pm}0.205$	7.413	7.506
$\Delta m_{31}^2/10^{-3} \; ({ m NO})$	$2.515{\pm}0.028$	2.514	-
$\Delta m_{32}^2/10^{-3} \text{ (IO)}$	-2.498 ± 0.028	-	-2.499
$\sin^2 heta_{12}$	0.3045 ± 0.0125	$0.3041 \ (\theta_{12} = 33.46^{\circ})$	$0.3067 \ (\theta_{12} = 33.63^{\circ})$
$\sin^2 \theta_{23} \text{ (NO)}^*$	$0.5705{\pm}0.0205$	$0.4473 \; (\theta_{23} = 41.98^{\circ})$	-
$\sin^2 \theta_{23} \text{ (IO)}^*$	$0.576 {\pm} 0.019$	-	$0.5784~(\theta_{23} = 49.51^{\circ})$
$\sin^2 \theta_{13}$ (NO)	$0.02223 {\pm} 0.00065$	$0.02223~(\theta_{13} = 8.57^{\circ})$	-
$\sin^2 \theta_{13}$ (IO)	0.02239 ± 0.00063	-	$0.02238 \ (\theta_{13} = 8.60^{\circ})$
$\delta_{\mathrm{CP}}^{\circ} \; (\mathrm{NO})$	207.5 ± 38.5	240.49	-
$\delta_{\mathrm{CP}}^{\circ}$ (IO)	$284.5{\pm}29.5$	-	263.49
$\eta_B/10^{-10}$	$6.12{\pm}0.04^{\ddagger}$	7.6 (7.6)	9.6 (51)
χ^2		1.45	5.76^\dagger

For NO:

light neutrino masses

 $m_1 = 0.038 \text{ meV}$

m₂= 8.6 meV

 m_3 = 50.1 meV m_{ee} =3.7 meV

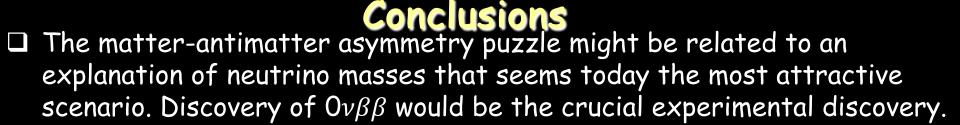
heavy neutrino masses

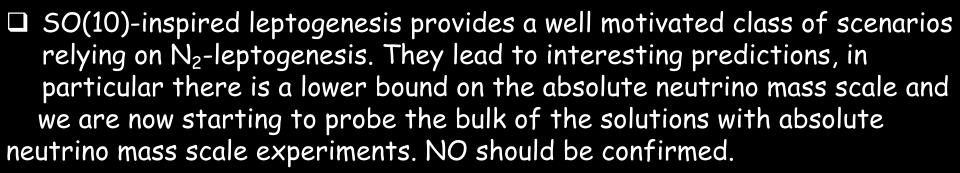
 $M_1 = 6.6 \times 10^4 \, \text{GeV}$

 $M_2 = 2.1 \times 10^{12} \text{ GeV}$

 $M_3 = 8.1 \times 10^{14} \, GeV$

Why is the lower bound on m_1 violated? Because $\theta_{23}^{L} \simeq 45^{\circ} \Rightarrow$ extended SO(10)-insp. lep



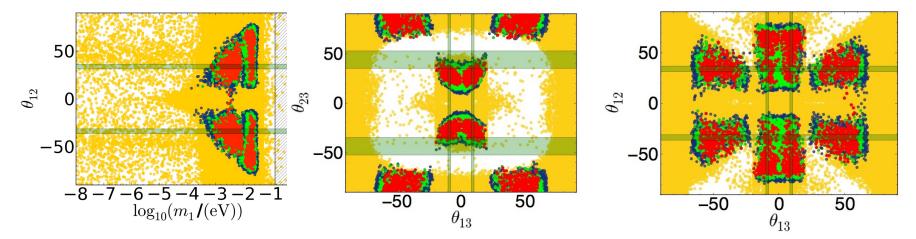


- \Box A subset of the solutions realizes strong thermal leptogenesis: highly nontrivial. In this case the atmospheric neutrino mixing angle—should be strictly in the first octant and CP Dirac phase in the 4th quadrant. $Ov\beta\beta$ signal should be within reach of next generation experiments.
- ☐ Account of flavour coupling introduces new solutions but does not change the overall picture.
- \square SO(10)-inspired leptogenesis can be realized within a realistic minimal SO(10) model. In this case the $\theta_{23,L} \sim 45^\circ$: does it signal the presence of additional discrete symmetry?

How significantly can the STSO10 solution be supported by data?

(PDB, Marzola '13)

 $(N_{B-L}=0, 0.001, 0.01, 0.1)$



If θ_{23} is found in the first octant then p $\leq 10\%$ If NO is confirmed then p $\leq 5\%$ If δ is measured in the fourth quadrant p $\leq 1\%$

This would sum up to the coincidence m_{sol} , $m_{atm} \sim 10 \text{ m}_{\star}$ If also absolute neutrino mass scales (m_1 and m_{ee}) will fall within the expected range (implying $0\nu\beta\beta$ signal) then strong case for discovery (notice also that Majorana phases impose non arbitrary m_{ee}/m_1) What about if one gives up strong thermal leptogenesis?

A popular class of SO(10) models

(Fritzsch, Minkowski, Annals Phys. 93 (1975) 193-266; R.Slansky, Phys.Rept. 79 (1981) 1-128; G.G. Ross, GUTs, 1985; Dutta, Mimura, Mohapatra, hep-ph/0507319; G. Senjanovic hep-ph/0612312)

In SO(10) models each SM particles generation + 1 RH neutrino are assigned to a single 16-dim representation. Masses of fermions arise from Yukawa interactions of two 16s with vevs of suitable Higgs fields. Since:

$$16 \otimes 16 = 10_S \oplus \overline{126}_S \oplus 120_A$$

The Higgs fields of renormalizable SO(10) models can belong to 10-, 126-,120-dim representations yielding Yukawa part of the Lagrangian

$$\mathcal{L}_Y = 16 \left(Y_{10} 10_H + Y_{126} \overline{126}_H + Y_{120} 120_H \right) 16$$
.

After SSB of the fermions at $M_{GUT}=2\times10^{16}$ GeV one obtains the masses:

Simplest case but clearly up-quark mass matrix $M_u = v_{10}^u Y_{10} + v_{126}^u Y_{126} + v_{120}^u Y_{120}$, non-realistic: it predicts $M_d = v_{10}^d Y_{10} + v_{126}^d Y_{126} + v_{120}^d Y_{120}$, down-quark mass matrix no mixing at all (both in neutrino mass matrix quark and lepton $M_D = |v_{10}^u Y_{10}| - 3v_{126}^u Y_{126} + v_{120}^D Y_{120}$, Sectors). For realistic charged lepton mass matrix $M_l = v_{10}^d Y_{10} - 3v_{126}^d Y_{126} + v_{120}^l Y_{120},$ models one has to add at $M_R = v_{126}^R Y_{126}$, least the 126 contribution RH neutrino mass matrix $M_L = v_{126}^L Y_{126}$, LH neutrino mass matrix

NOTE: these models do respect SO(10)-inspired conditions

Charged lepton flavour effects

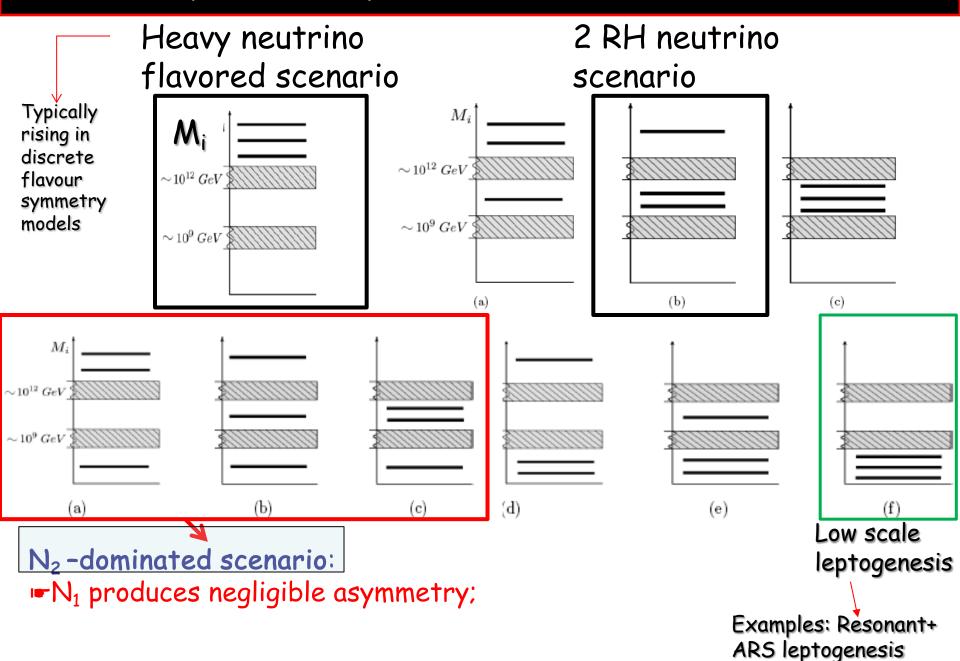
(Barbieri et al '98; Abada et al '06; Nardi et al. '06; Blanchet, PDB, Raffelt '06; Riotto, De Simone '06)

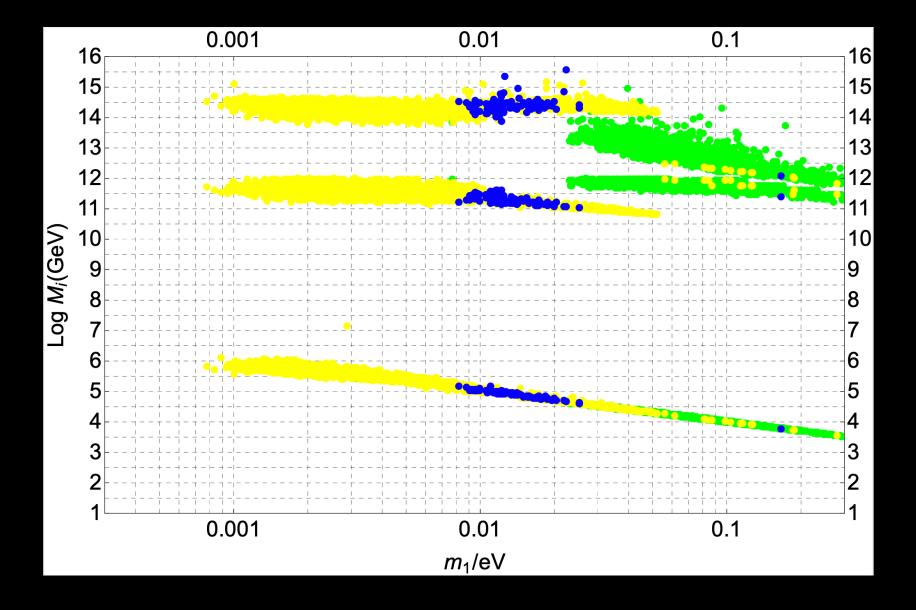
Flavor composition of lepton quantum states matters!

$$\begin{aligned} |l_1\rangle &= \sum_{\alpha} \langle l_{\alpha} | l_1 \rangle | l_{\alpha} \rangle & (\alpha = e, \mu, \tau) \\ |\overline{l}_1'\rangle &= \sum_{\alpha} \langle l_{\alpha} | \overline{l}_1' \rangle |\overline{l}_{\alpha} \rangle & \end{aligned}$$

- \Box T << 10^{12} GeV \Rightarrow τ -Yukawa interactions are fast enough break the coherent evolution of $|l_1\rangle$ and $|\overline{l}_1'\rangle$
- \Rightarrow incoherent mixture of a τ and of a ∞ +e components \Rightarrow 2-flavour regime
- \Box T << 10⁹ GeV then also ∞ -Yukawas in equilibrium \Rightarrow 3-flavour regime

Heavy neutrino lepton flavour effects: 10 scenarios



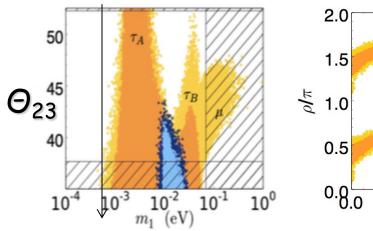


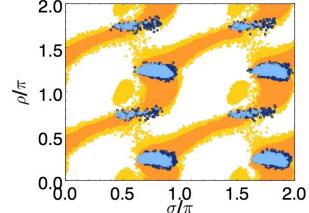
N₂-leptogenesis rescues SO(10)-inspired leptogenes

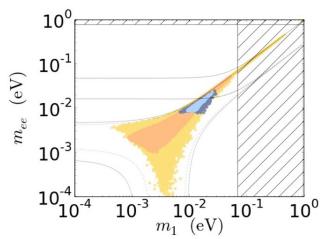
(PDB, Riotto 0809.2285;1012.2343;He,Lew,Volkas 0810.1104)

• dependence on α_1 and α_3 cancels out \Rightarrow the asymmetry depends only on $\alpha_2 \equiv m_{D2}/m_{charm}$: $\eta_B \propto \alpha_2^2$

$$\alpha_2=5$$
 NORMAL ORDERING I $\leq V_L \leq V_{CKM}$ $V_L = J$



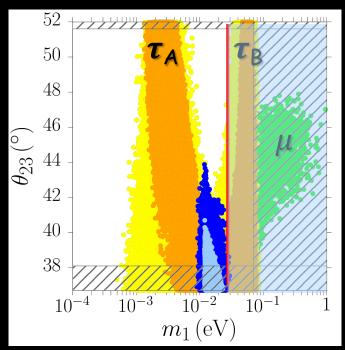


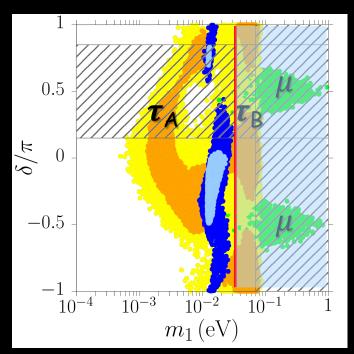


- Lower bound
 $m_1 \gtrsim 10^{-3}$ eV
- \triangleright θ_{23} upper bound
- Majorana phases constrained in specific regions
- ightharpoonup Effective $0\nu\beta\beta$ mass can still vanish but bulk of points above meV
- > INVERTED ORDERING IS EXCLUDED (it requires too large sum of neutrino masses + too large θ_{23})
- > Tauon + muon-dominated solutions
- Strong thermal leptogenesis is realised for a subset of tauon solutions (blue points)

SO(10)-inspired leptogenesis confronting long baseline and absolute neutrino mass experiments





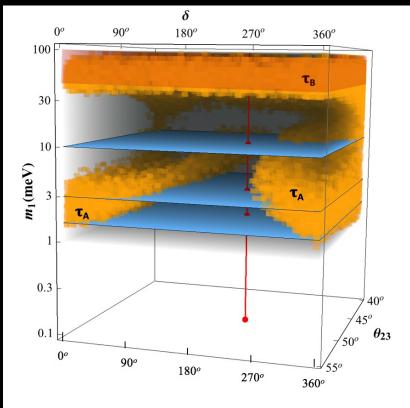


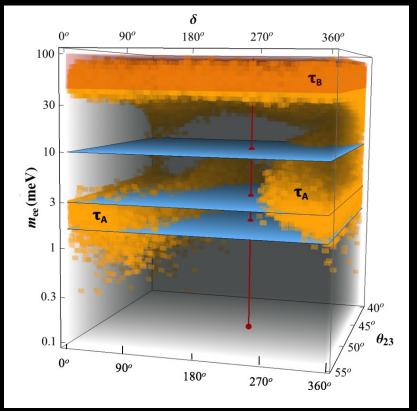
Projecting the allowed region (an hypersurface in the space of neutrino parameters) on planes can hide a more complex structure corresponding potentially to stronger predictions.

SO(10)-inspired leptogenesis confronting long baseline and absolute neutrino mass experiments....in 3D

(PDB, R. Samanta 2005.03057)





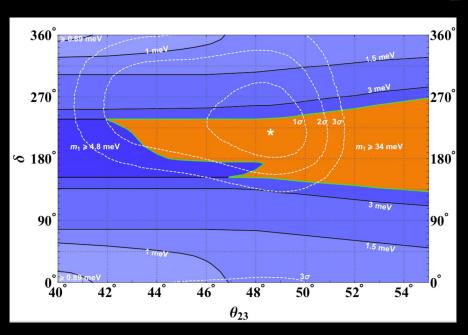


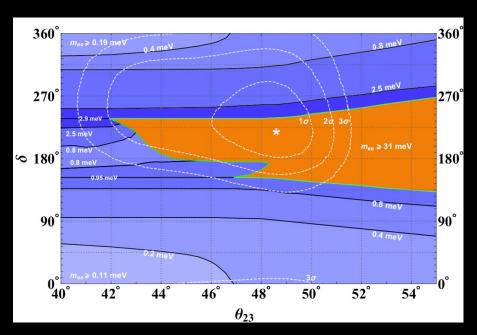
For certain values of δ and θ_{23} the lower bound on the absolute neutrino mass scale is much more stringent: $m_1, m_{ee} \gtrsim 30$ meV

SO(10)-inspired leptogenesis: lower bound on the absolute neutrino mass scale as a function of δ and θ_{23}

(PDB, R. Samanta 2005.03057)

$$\alpha_2$$
=5





Future precise measurements of δ and θ_{23} will have an important impact on SO(10)-inspired leptogenesis, in particular a precise determination of δ might be crucial. Ultimately if measured neutrino mixing parameters will lie on the hypersurface (implying $0\nu\beta\beta$ discovery) a strong case for discovery can be made (this has to take into account also θ_{13} , θ_{12} , m_{sol} , m_{atm})

Notice that CP conserving values of δ are possible since CP violation comes from high energy phases (they can be identified with those in the orthogonal matrix)