

1<sup>st</sup> UNDARK Workshop on  
Astrophysical probes of dark sectors using radio wave observations  
2 - 8 September 2025

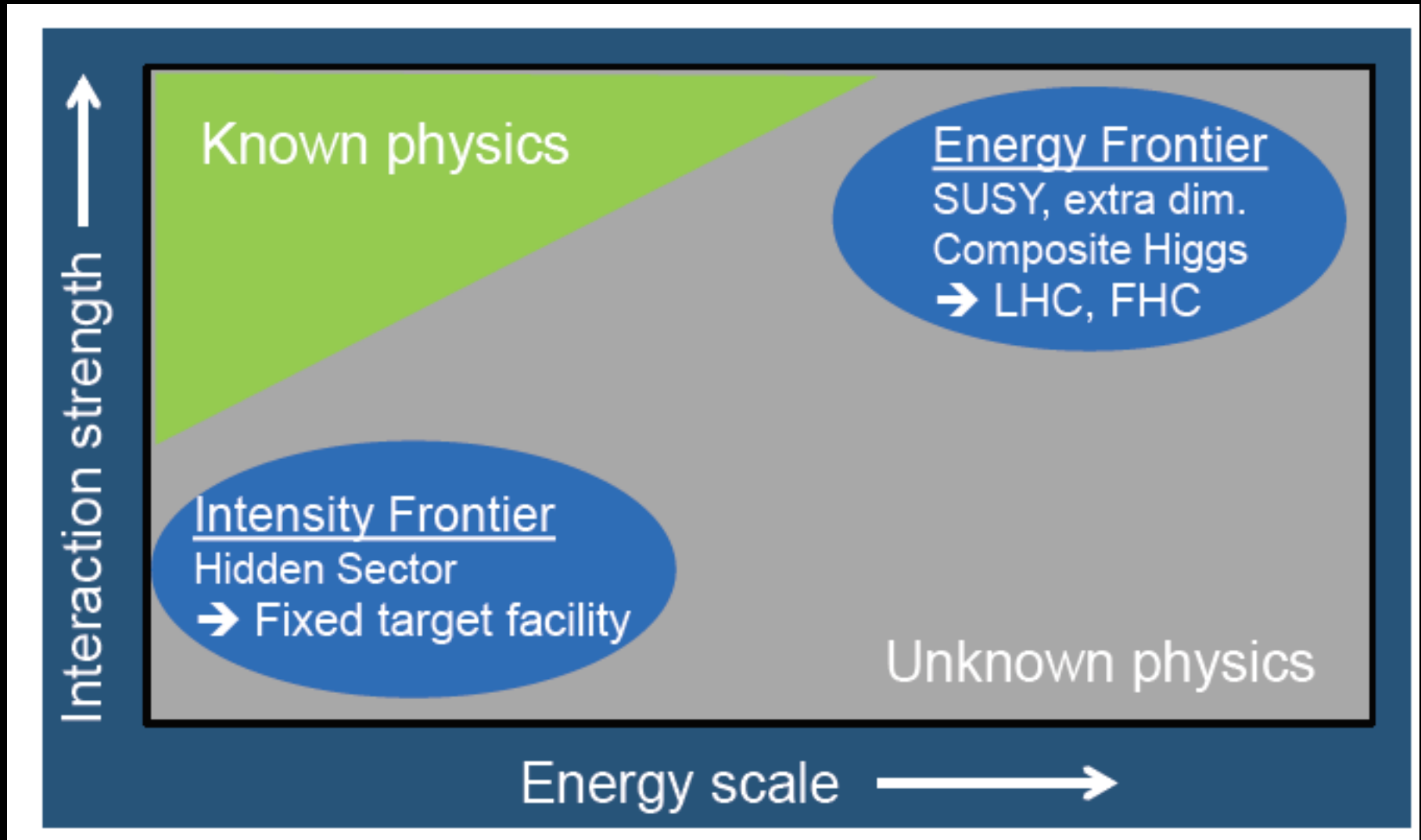
# Testing the instability of the cosmic neutrino background

Reference: Chianese, Farrag, PDB, Samanta 1805.11717;  
Dev, PDB, Martinez-Soler, Roshan 2312.03082  
and 2509.03441

Pasquale Di Bari

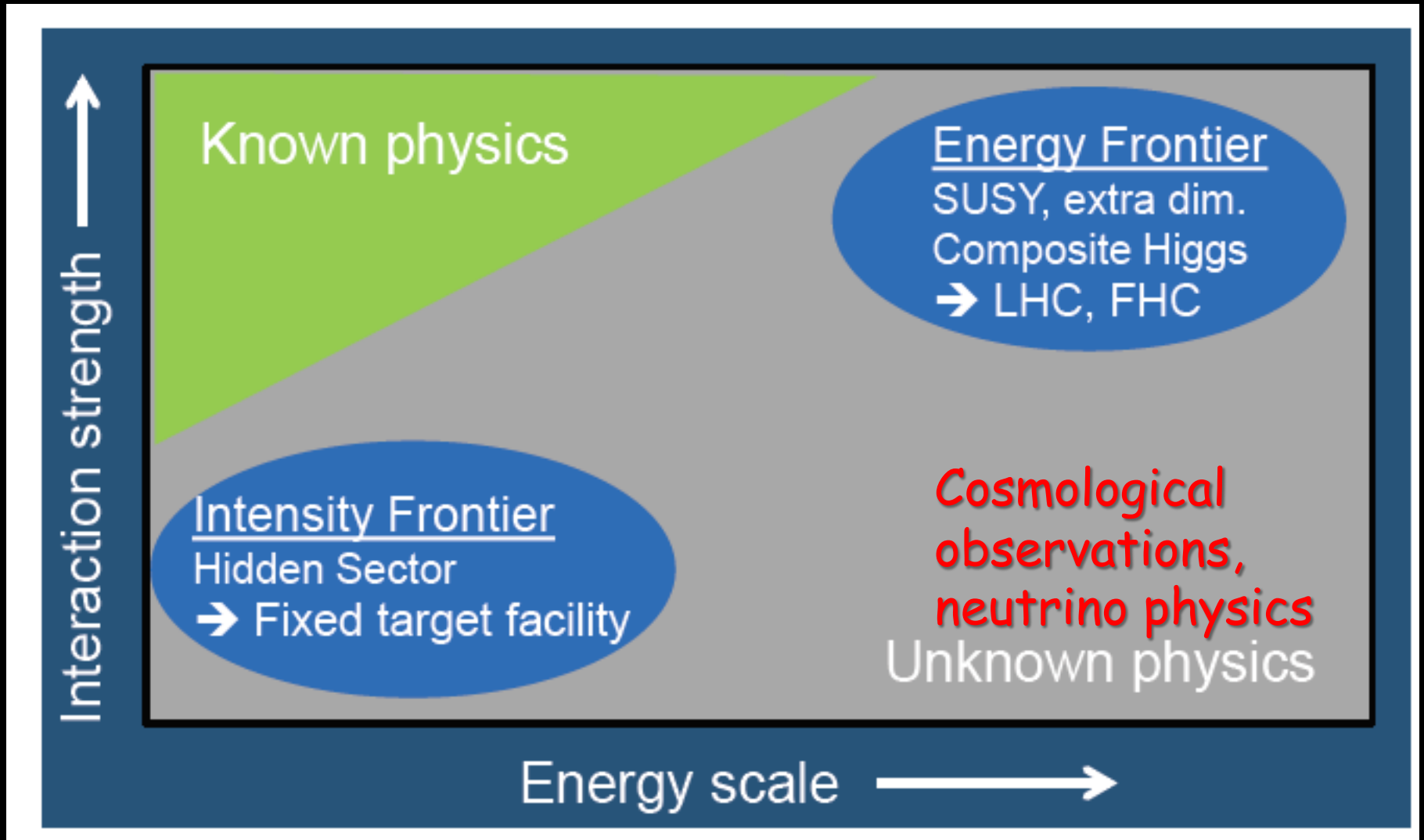
# Exploring new frontiers

(SHIP proposal, 1504.04855)

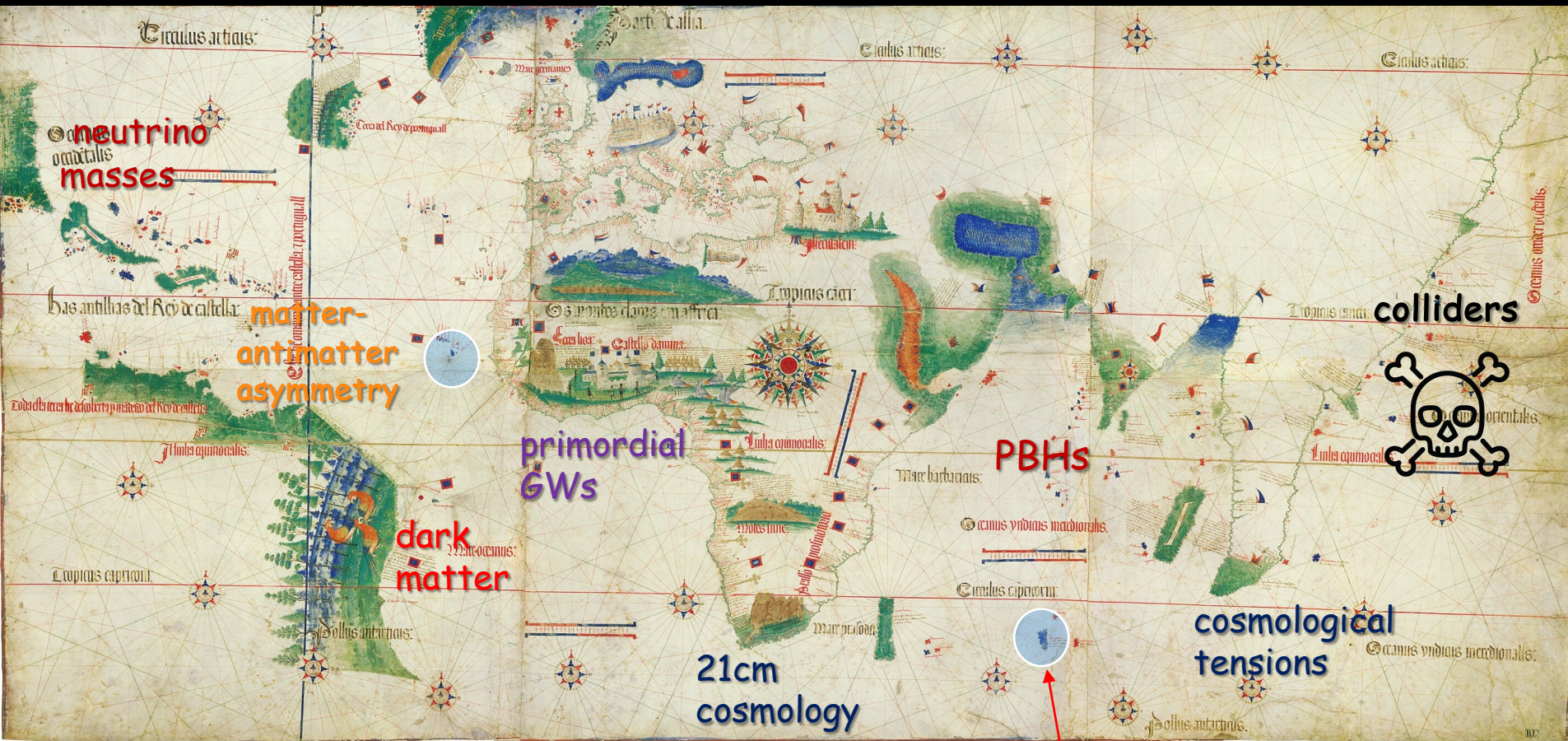


# New frontiers

(SHIP proposal, 1504.04855)



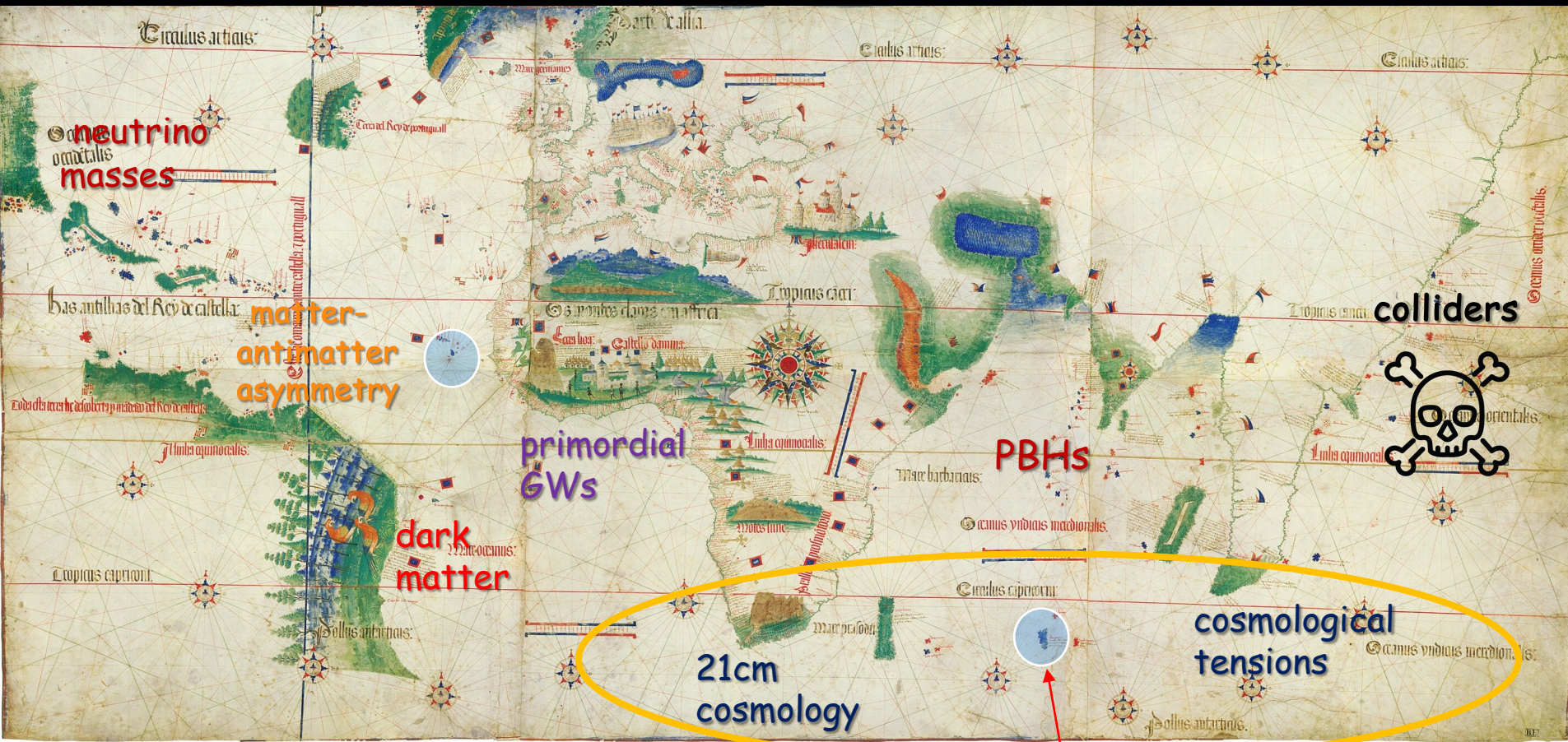
# A map to new physics?



excess radio  
background

6 September 1492: Colombo's expedition starts the final jump to the new world from San Sebastian de la Gomera

# A map to new physics?



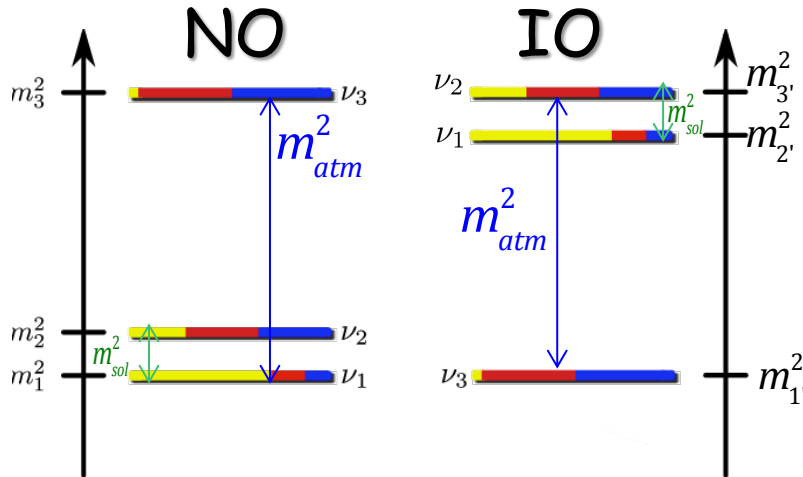
this talk

excess radio  
background

Neutrinos might play a role in understanding addressing these anomalies and tensions

Neutrino mass tension

# Neutrino oscillation experiments



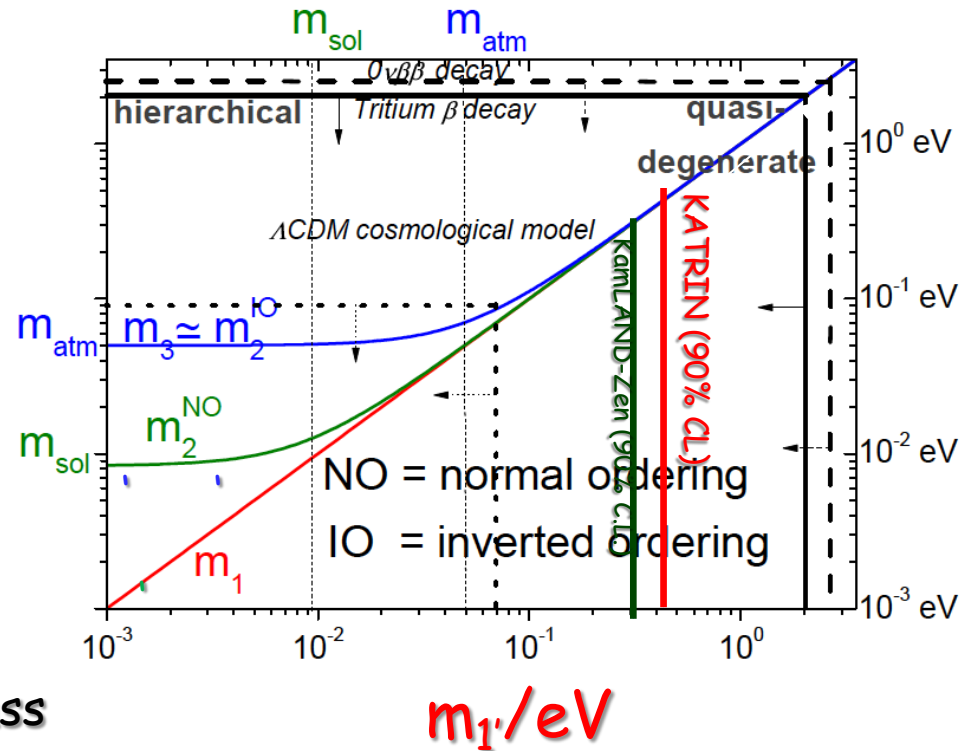
$$m_{sol} = (8.6 \pm 0.1) \text{ meV}$$

$$m_{atm} = (50.0 \pm 0.3) \text{ meV}$$

$$NO: m_2 = \sqrt{m_1^2 + m_{sol}^2}, \quad m_3 = \sqrt{m_1^2 + m_{atm}^2}$$

$$IO: m_{2'} = \sqrt{m_{1'}^2 + m_{atm}^2 - m_{sol}^2}, \quad m_{3'} = \sqrt{m_{1'}^2 + m_{atm}^2}$$

NO is currently favoured at  $\sim 2.5 \sigma$



Lower bound on the total neutrino mass

$$\Rightarrow \sum_i m_i \gtrsim m_{sol} + m_{atm} \gtrsim 58 \text{ meV (95\%CL)}$$

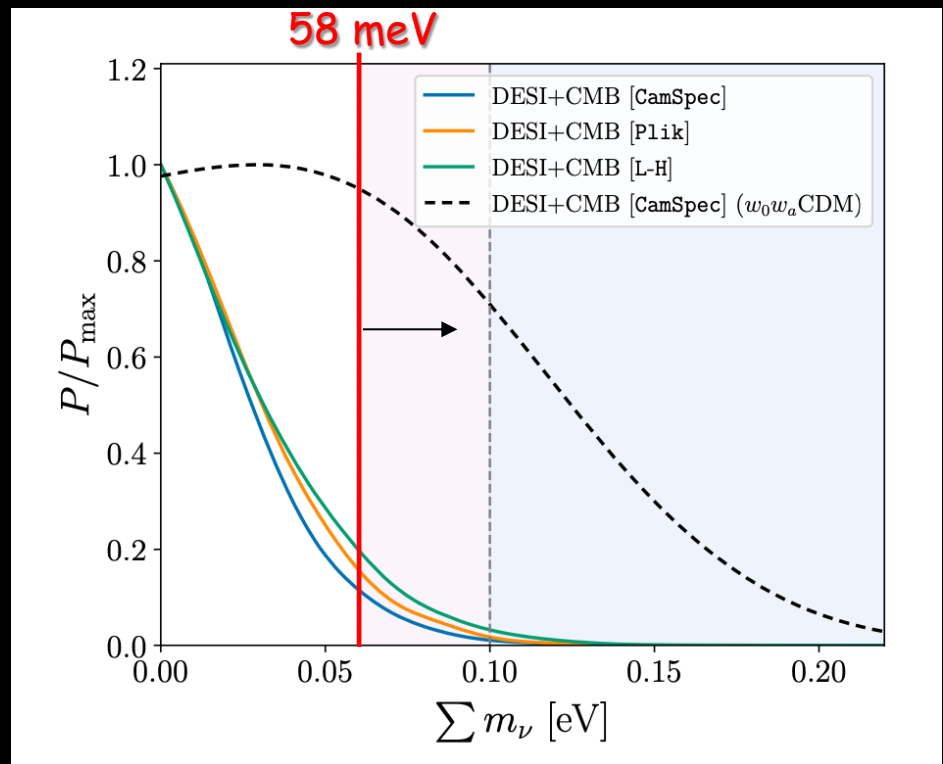
# DESI DR2 2025: upper bound on the sum of neutrino masses

(DESI collaboration 2503.14738)

The best fit is for  $\sum_i m_{\nu i} = 0$   
(imposing a prior  $\sum_i m_{\nu i} \geq 0$ )

$\Rightarrow \sum m_i \lesssim 64\text{meV}$  (95%CL) (assuming  $\Lambda\text{CDM}$ )

Clear tension with the  
lower bound from  
neutrino oscillations



Cosmological solution: going beyond  $\Lambda\text{CDM}$

+Pantheon SNe assuming  $w_0 w_a \text{CDM}$   $\Rightarrow \sum m_i \lesssim 117\text{meV}$  (95%CL) (DESI collaboration 2503.14738)

assuming suppressed matter  
perturbation growth rate  $\Rightarrow \sum m_i \lesssim 134\text{meV}$  (95%CL) (Giare et al. 2507.01848)

For NO this translates into  $m_1 \lesssim 30\text{meV}$

...but there is also a particle physics solution

# No $\nu$ 's good news?

(J.F. Beacom, N. Bell, S. Dodelson astro-ph/0404085; P. Serpico astro-ph/0701699; M. Escudero, J. Lopez-Pavon, N. Rius, S. Sandner 2007.04994; N. Craig, D. Green, J. Meyers, S. Rajendran, 2405.00836)

- This tension can be solved if neutrinos decay with a lifetime lower (at least) than about 1 order of magnitude than the the age of the universe but longer than  $\sim 10^9 \text{s} (\sum_i m_{\nu_i} / 50 \text{meV})^3$  not to clash with CMB anisotropy observations (neutrinos need to free stream at recombination).
- Radiative decays are strongly constrained by the upper bound on CMB spectral distortions  $\Rightarrow$  **they need to decay invisibly**;

- Example:

$$\mathcal{L}_\phi \supset \frac{\lambda_{ij}}{2} \bar{\nu}_i \nu_j \phi + \frac{\tilde{\lambda}_{ij}}{2} \bar{\nu}_i \gamma_5 \nu_j \phi + \text{h.c.}$$

(N. Craig, D. Green, J. Meyers, S. Rajendran, 2405.00836)

- This results into

$$\tau(\nu_i \rightarrow \nu_j \phi) \simeq 7 \times 10^{17} \text{s} \times \left( \frac{0.05 \text{eV}}{m_{\nu_i}} \right) \left( \frac{10^{-15}}{\tilde{\lambda}_{ij}^2} \right)^2$$

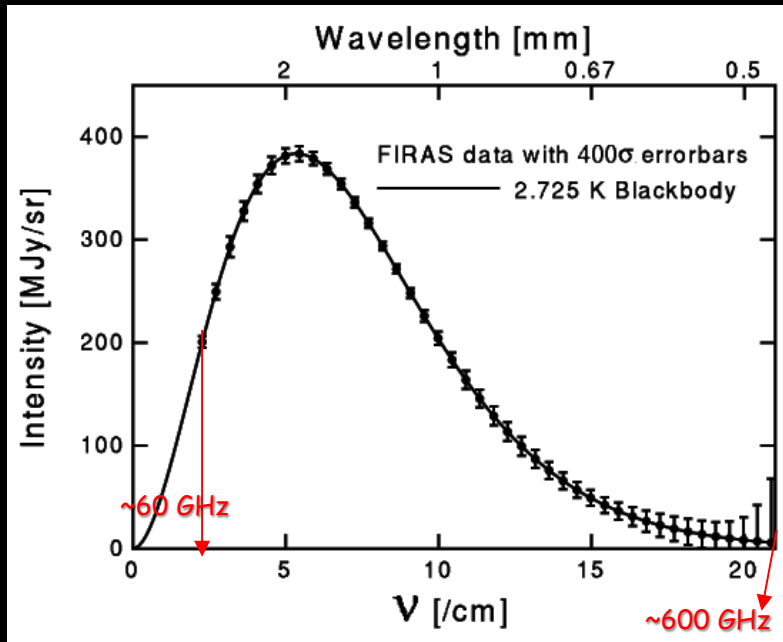
**A low scale dark sector destabilizing neutrinos?**

# Constraints from CMB spectrum on neutrino radiative decays

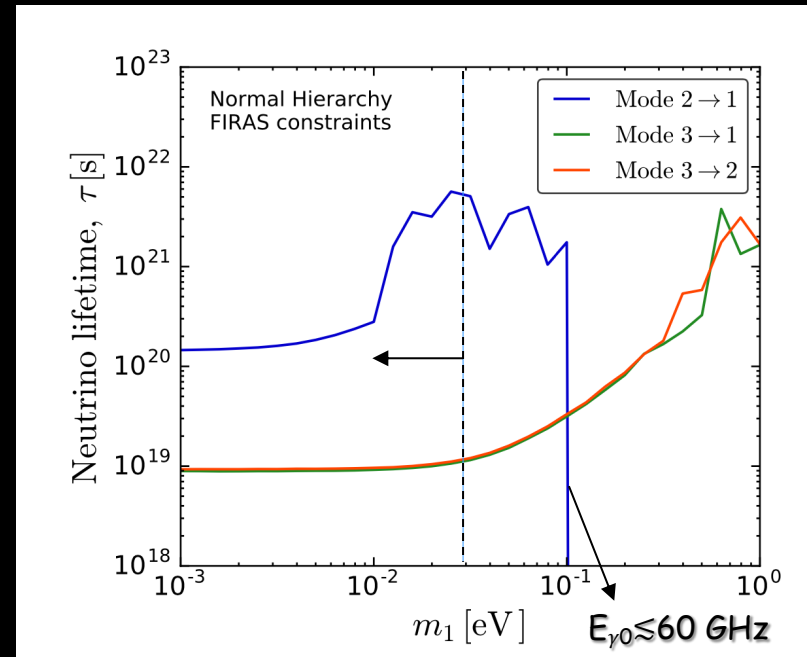
# Lower bound on neutrino lifetime from FIRAS

(Aalberts et al. 1803.00588)

- $\nu_j \rightarrow \nu_i + \gamma$  ( $i, j = 1, 2, 3$ ) ;
- $\nu_j$  is also an active neutrino mass eigenstate ;
- The  $\nu_i$  's are assumed to decay non-relativistically ( $m_i \gg T$ )
- $\Rightarrow E_{\gamma 0} = \frac{m_j^2 - m_i^2}{2 m_j} \frac{1}{1+z_D}$
- Neutrino oscillation experiments fix  $m_j^2 - m_i^2$



$$2.5 \times 10^{-4} \text{ eV} \lesssim E_{\gamma}^{\text{FIRAS}} \lesssim 2.5 \times 10^{-3} \text{ eV}$$



lower bounds on neutrino lifetime

# Upper limit on neutrino effective magnetic moment from FIRAS

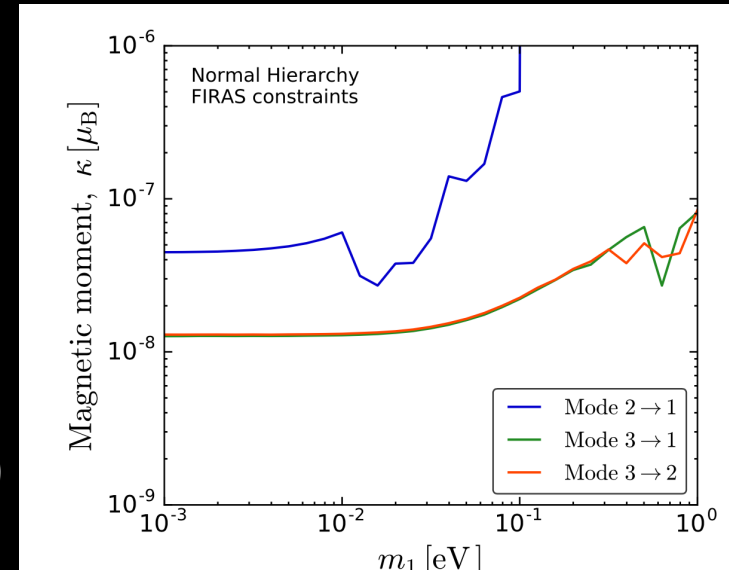
(Aalberts et al. 1803.00588)

- The decay rate can be expressed in terms of the neutrino effective magnetic moment\*

$$\mu_{\text{eff},ij} \equiv \sqrt{|\mu_{ij}|^2 + |\epsilon_{ij}|^2}$$

$$\Gamma_{\nu_j \rightarrow \nu_i + \gamma} = \frac{\mu_{\text{eff},ij}^2}{8\pi} \left( \frac{m_j^2 - m_i^2}{m_j} \right)^3$$

(Pal, Mohapatra 1982;...; Studenikin, Giunti 2015)



- These upper limits are looser than those placed by:

neutrino-electron scattering experiments

$$\mu_{\text{eff},ij} \lesssim 3.2 \times 10^{-11} \mu_B \quad (\text{GEMMA, 1005.2736})$$

globular cluster stars

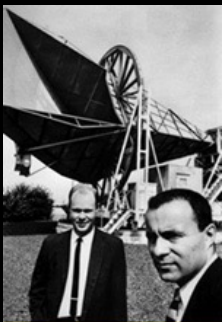
$$\mu_{\text{eff},ij} \lesssim 3 \times 10^{-12} \mu_B. \quad (\text{Raffelt, 1992})$$

- The Primordial Inflation Explorer (PIXIE) will improve the lower (upper) limit on lifetime (magnetic moment) by 4 (2) orders of magnitude
- It would be then very challenging to explain relic neutrino radiative decays!

\* *neglecting a neutrino millicharge*

The excess radio  
background mystery

# What lies below the FIRAS low frequency threshold?



Penzias and Wilson (1965)

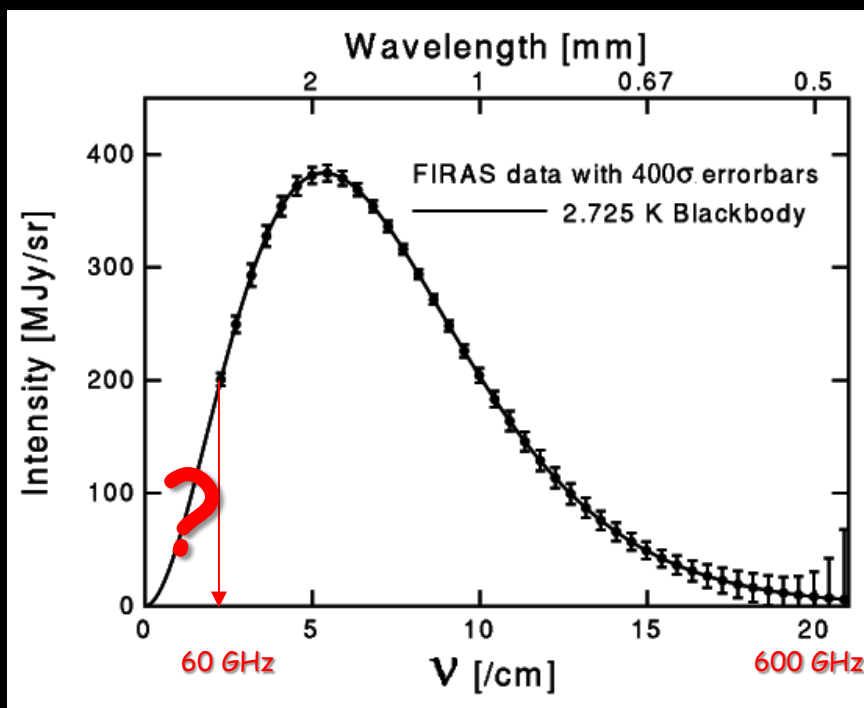
$$T_{\nu 0} = (3.5 \pm 1) \text{ }^{\circ}\text{K}$$



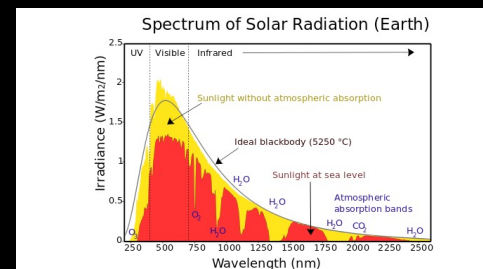
COBE satellite

FIRAS instrument of COBE (1990)

$$T_{\nu 0} = (2.725 \pm 0.001) \text{ }^{\circ}\text{K} \quad (\text{Fixsen and Mather 2002})$$



for a comparison



# Absolute Radiometer for Cosmology, Astrophysics and Diffuse Emission (ARCADE 2)

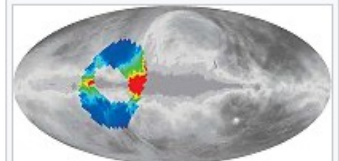
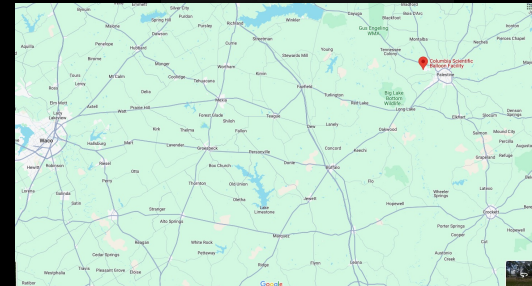


# ARCADE 2: The 2006 FLIGHT

(Fixsen, Kogut, Levin, Limon, Lubin, Mirel, Seiffert, Singal, Wollack, Villela, Wuensche 0901.0555)



- Launched from Palestine TX (Columbia scientific balloon facility) on a 29 MegaCubicFeet balloon on 22 July 2006 at 1:15 UT
- It reached a float altitude of 37 km at 4:41 UT
- The entire gondola with the instrument was rotated so that 8.4% of the entire sky was observed
- The most useful observations were from 5:35 to 7:40 UT: **with only two hours of balloon flight observations, ARCADE 2 approaches the absolute accuracy of long-duration space missions**
- The uncertainty in the sky temperature is dominated by thermal gradients in the calibrator
- One main advantage of balloon flight is that at 37km the instrument is above about 99.7% of the atmosphere and an even larger fraction of water vapour and, second, it is well above the nearest source of any radio transmitters



ARCADE viewed about 7% of the sky. The observed region is colored on this all-sky radio map. The plane of our galaxy, the Milky Way, runs across the center.



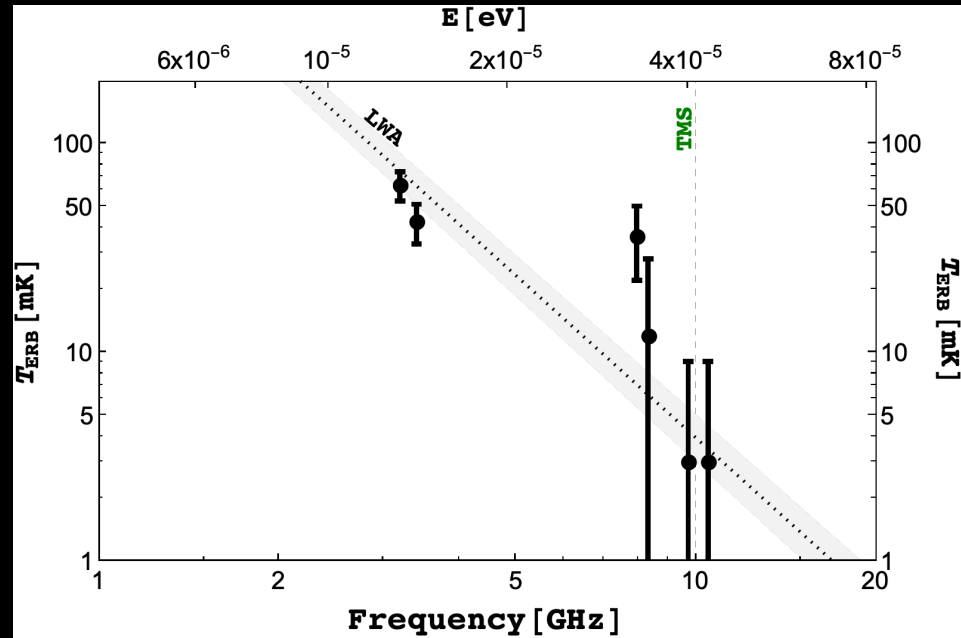
Photograph of the instrument upon landing, 2005. The electronics box and magnetometers which are mounted on the dewar are visible.

# ARCADE 2: Results

(Fixsen, Kogut, Levin, Limon, Lubin, Mirel, Seiffert, Singal, Wollack, Villela, Wuensche 0901.0555)

$$T_{\text{ERB}} \equiv T_{\gamma 0}(\nu) - T_{\text{CMB},0}$$

↓  
effective temperature



(Figure courtesy of Rishav Roshan)

- The ARCADE 2 measurement of the CMB temperature is in excellent agreement with the FIRAS instrument above 10 GHz
- Below 10 GHz, the detected radio background is brighter than expected ( $\sim 5\sigma$  deviation)
- The Long Wavelength Array (LWA) measured the diffuse radio background in the 40-80 MHz, also finding an excess. In combination with ARCADE 2 data, they find a reasonably good fit in terms of a power-law:

$$T_{\text{ERB}} = (30.4 \pm 2.6) \left( \frac{\nu}{310 \text{ MHz}} \right)^{-2.58 \pm 0.05} \text{ K}.$$

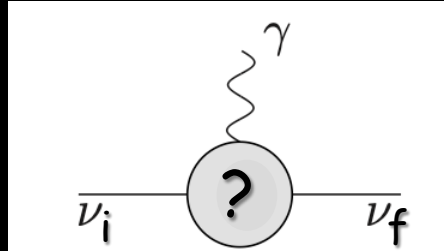
# The excess radio background mystery

- Part of the excess is due to galactic synchrotron radiation but this galactic contamination is significantly below the measured excess. (N.Fornengo, R.A. Lineros, M. Regis, M. Taoso 1402.2218)
- The excess cannot be explained by known population of sources: they give a contribution to the effective temperature that is 3-10 times smaller than the measured one. (J. Singal et al. 1711.09979)
- Low-redshift populations of discrete extra-galactic radio sources have been also excluded by cross correlating data of the diffuse radio sky with matter tracers at different redshifts provided by galaxy catalogs and CMB lensing. (E.Todarello, et al. 2311.17641)
- Exotic astrophysical explanations have been proposed (supermassive black holes and star forming galaxies) but typically they tend to produce also other (unobserved) signals and more importantly the Australian Telescope Compact Array (ATCA) constrains the contribution to the excess of extended source with angular size below 2 arcmin: **the ERB is extremely smooth**. (T. Vernstrom et al 1408.4160)
- In order to satisfy this constraint, the source of the excess should be active only at redshifts  $z \gtrsim 5$  (G.P. Holder 1207.0856)
- Even explanations in terms of new physics encounter similar difficulty: e.g., excess radiation from dark matter decays and/or annihilations would also produce anisotropies that have not been observed.
- "The radio synchrotron level reported by ARCADE 2 is spatially uniform enough to be considered a BACKGROUND. Thus, it would join the astrophysical backgrounds known in all other regions of the EM spectrum. ...the origin of the radio background would be one of the mysteries of contemporary astrophysics". (Singal et al., *The second radio synchrotron background workshop*, 2211.16547)
- "Highly accurate measurements.....The nature of the background is still unknown" (R. Sunayev 2408.01858)

# Relic neutrino decays

(Chianese, Farrag, PDB, Samanta 2018; Dev, PDB, Martinez-Soler, Roshan 2312.03082)

An intriguing possibility is that the source of non-thermal radiation is relic neutrinos decaying radiatively due to the existence of some new physics:



The decay active-to-active neutrino cannot explain the necessary small  $\Delta m_i \ll 2.5 \times 10^{-4} \text{ eV}$   
Then necessarily the final neutrino has to be a sterile neutrino:

$$\nu_f = \nu_{\text{sterile}}$$

Assume that decaying and final sterile neutrino are quasi-degenerate:  $\Delta m_i \equiv m_i - m_f \ll m_i$

Moreover, assume that the ordinary neutrinos decay non-relativistically:  
with these assumptions the **final photon is monochromatic at the decay**.

**At redshift  $z_D$ :**

$$E_\gamma(z_D) = \Delta m_i$$

...but not at the detection since cosmological expansion will redshift energies:

$$E_{\gamma 0} = \frac{\Delta m_i}{1 + z_D} \leq \Delta m_i$$

For definiteness, we can assume that the lightest neutrino decays  $\Rightarrow i = 1$

# Specific intensity of the radiation from relic neutrino decays

(Masso, Toldra 1999; Chianese, Farrag, PDB, Samanta 2018; Dev, PDB, Martinez-Soler, Roshan 2312.03082)

Assume more generally that detection is made at redshift  $z$  (of course in the case of ARCADE  $z=0$ ):

$$E = \Delta m_1 \frac{1+z}{1+z_D} \leq \Delta m_1 \Rightarrow a_D \equiv \frac{1}{1+z_D} = \frac{E}{\Delta m_1(1+z)} \quad \text{scale factor at the decay}$$

$$\text{energy density} \quad \varepsilon_{\gamma_{nth}}(z) = \frac{\Delta m_1}{\tau_1} n_{\nu_1}^{\infty}(z) \int_0^a da_D \frac{e^{-\frac{t(a_D)}{\tau_1}}}{H(a_D)a}$$

specific intensity

$$I_{\gamma_{nth}}(E, z) = \frac{1}{4\pi} \frac{d\varepsilon_{\gamma_{nth}}}{dE} \Big|_z = \frac{n_{\nu_1}^{\infty}(z)}{4\pi} \frac{e^{-\frac{t(a_D)}{\tau_1}}}{H(a_D)\tau_1} \Rightarrow T_{\gamma_{nth}}(E, z) \simeq \frac{4\pi^3}{E^2} I_{\gamma_{nth}}(E, z)$$

effective temperature

$$\text{expansion rate at the decay} \quad H(a_D) = H_0 \sqrt{\Omega_{M0} a_D^{-3} + \Omega_{\Lambda 0}} = H_0 \sqrt{\Omega_{M0}} a_D^{-\frac{3}{2}} \left( 1 + \frac{a_D^3}{a_{eq}^{M\Lambda 3}} \right)^{\frac{1}{2}}$$

age of the universe at the decay

$$t(a_D) = \frac{2}{3} \frac{H_0^{-1}}{\sqrt{\Omega_{\Lambda 0}}} \ln \left[ \sqrt{\left( \frac{a_D}{a_{eq}^{M\Lambda}} \right)^3} + \sqrt{1 + \left( \frac{a_D}{a_{eq}^{M\Lambda}} \right)^3} \right]$$

relic neutrino number density at the Detection at redshift  $z$

$$n_{\nu_1}^{\infty}(z) = \frac{6}{11} \frac{\xi(3)}{\pi^2} T^3(z)$$

# Fitting the ARCADE 2 excess radio background

(Dev, PDB, Martinez-Soler, Roshan 2312.03082)

The general expression for the specific intensity gets now specialized into:

$$I_{\gamma_{\text{nth}}}(E, 0) = \frac{n_{\nu_1}^{\infty}(0)}{4\pi} \frac{e^{-\frac{t(a_D)}{\tau_1}}}{H(a_D) \tau_1}$$

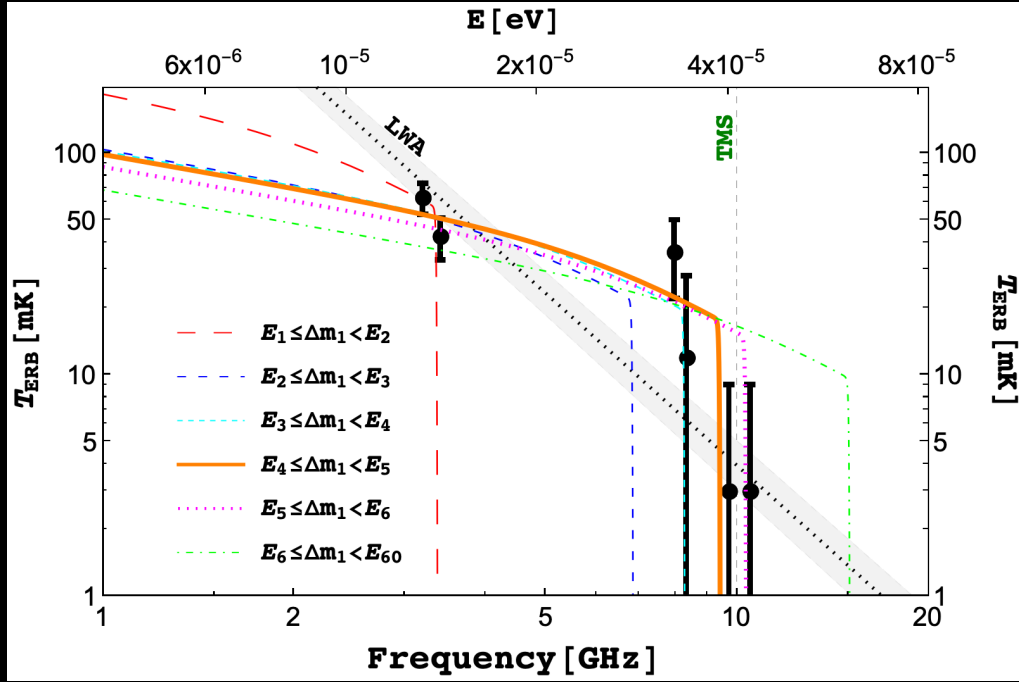
Moreover, we can consider solutions with  $\tau_1 \gg t_0$  so that we can neglect the exponential:

$$T_{\gamma_{\text{nth}}}(E, 0) \simeq \frac{6 \zeta(3)}{11 \sqrt{\Omega_{M0}}} \frac{T_0^3}{E^{1/2} \Delta m_1^{3/2}} \frac{t_0}{\tau_1} \left(1 + \frac{a_D^3}{a_{\text{eq}}^3}\right)^{-\frac{1}{2}}$$

We have to fit the 6 values of the effective temperature measured by ARCADE 2

# Fitting the ARCADE 2 excess radio background

(Dev, PDB, Martinez-Soler, Roshan 2312.03082)



For our best fit we find  $\chi^2/4\text{d.of.} = 0.96$ , to be compared with  $\chi^2/4\text{d.of.} = 2.5$  for the power law

**Table 1.** ARCADE 2 measurements of the excess radio background effective temperature [1].

$i$	$\nu_i$ (GHz)	$E_i$ ( $10^{-5}$ eV)	$T_{\gamma 0}^i$ (K)	$\bar{T}_{\text{ERB}}^i$ (mK)	$\delta T_{\text{ERB}}^i$ (mK)
1	3.20	1.36	2.792	63	10
2	3.41	1.41	2.771	42	9
3	7.97	3.30	2.765	36	14
4	8.33	3.44	2.741	12	16
5	9.72	4.02	2.732	3	6
6	10.49	4.34	2.732	3	6

**Table 2.** Results of the fit of ARCADE 2 data. Best fit values,  $\chi^2$  and  $\Delta\chi^2$  are shown for each interval of  $\Delta m_1$ , corresponding to a frequency interval between two data points.

Interval	$\bar{A}$ ( $\text{eV}^{3/2} \text{s}$ )	$\Delta m_1$ (eV)	$\bar{\tau}_1$ (s)	$\chi^2_{\min}$	$\Delta\chi^2_{\min}$
$E_1 \leq \Delta m_1 < E_2$	$1.9 \times 10^{14}$	$1.4 \times 10^{-5}$	$3.6 \times 10^{21}$	7.36	-9.87
$E_2 \leq \Delta m_1 < E_3$	$2.3 \times 10^{14}$	$2.7 \times 10^{-5}$	$1.6 \times 10^{21}$	2.28	-14.95
$E_3 \leq \Delta m_1 < E_4$	$3.6 \times 10^{14}$	$3.4 \times 10^{-5}$	$1.8 \times 10^{21}$	1.06	-16.17
$E_4 \leq \Delta m_1 < E_5$	$3.8 \times 10^{14}$	$4.0 \times 10^{-5}$	$1.46 \times 10^{21}$	0.96	-16.27
$E_5 \leq \Delta m_1 < E_6$	$4.2 \times 10^{14}$	$4.3 \times 10^{-5}$	$1.49 \times 10^{21}$	2.19	-15.04
$E_6 \leq \Delta m_1 < E_{60}$	$4.7 \times 10^{14}$	$2.0 \times 10^{-4}$	$1.66 \times 10^{20}$	3.23	-14.00

# A clash with the upper bounds on the effective magnetic moment

(Dev, PDB, Martinez-Soler, Roshan 2509.03441)

$$\Gamma_{\nu_j \rightarrow \nu_i + \gamma} = \frac{\mu_{\text{eff},ij}^2}{8\pi} \left( \frac{m_j^2 - m_i^2}{m_j} \right)^3$$

Upper bound on  $\mu_{\text{eff}}$  from neutron-electron elastic scattering

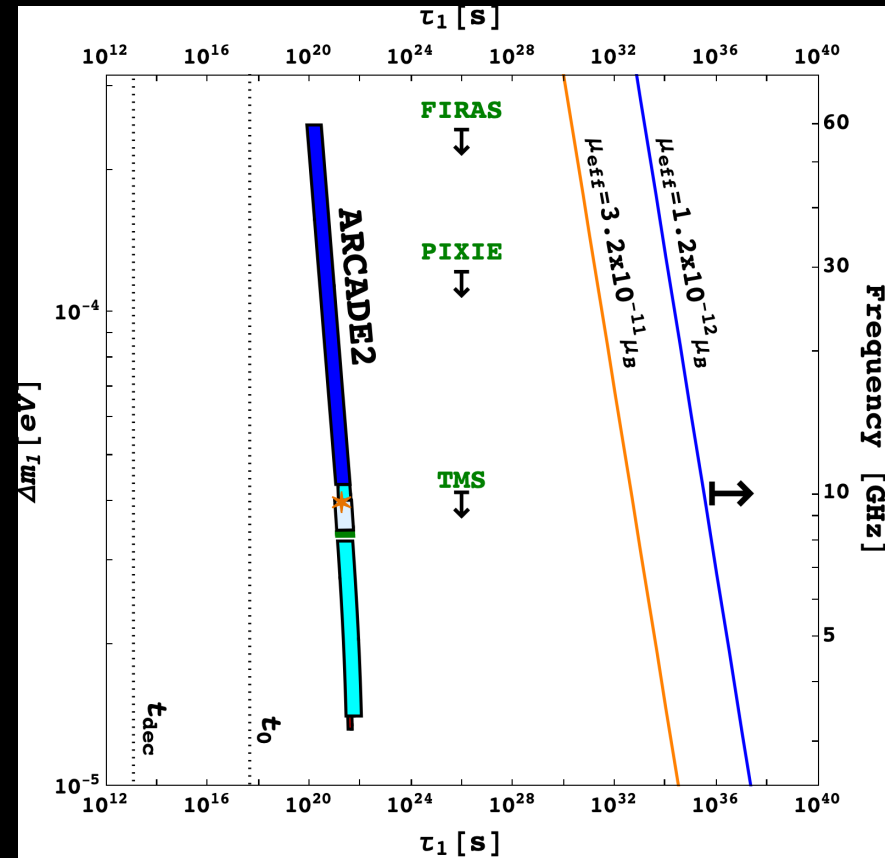
$$\mu_{\text{eff}} \lesssim 2.9 \times 10^{-11} \mu_B$$

(GEMMA collaboration, 2012)

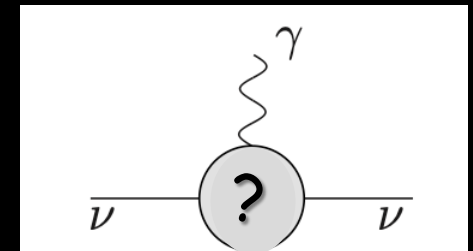
...and from plasmon decays in globular cluster stars:

$$\mu_{\text{eff}} \lesssim 1.2 \times 10^{-12} \mu_B.$$

Raffelt, PRL64, 2856 (1990)



How to solve this clash?



# Boomerang mechanism

(Dev, PDB, Martinez-Soler, Roshan 2509.03441)

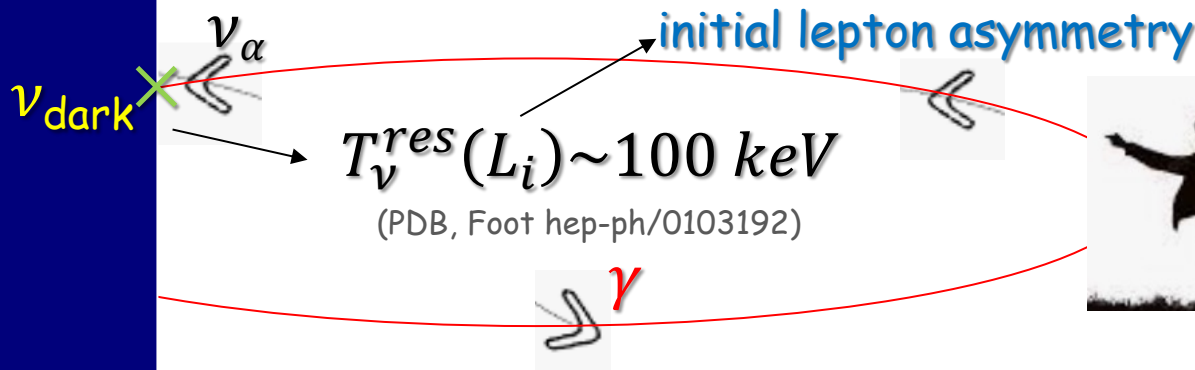
visible sector

active-dark neutrino mixing

$$\nu_1 = \cos \theta_0 \nu_\alpha + \sin \theta_0 \nu_{dark}$$

dark sector

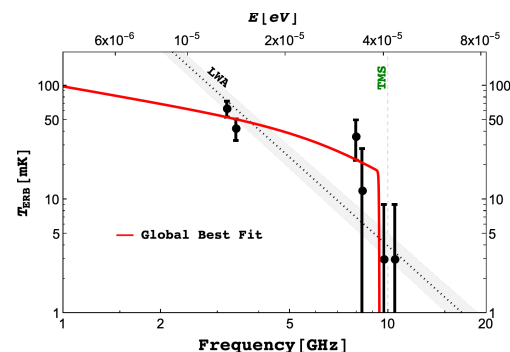
$$\nu_{dark} \rightarrow \psi' + \gamma'$$



$$|\gamma' \rangle = \cos \alpha |\gamma_{dark} \rangle + \sin \alpha |\gamma \rangle$$

$$\varepsilon = (\sin \alpha)^2$$

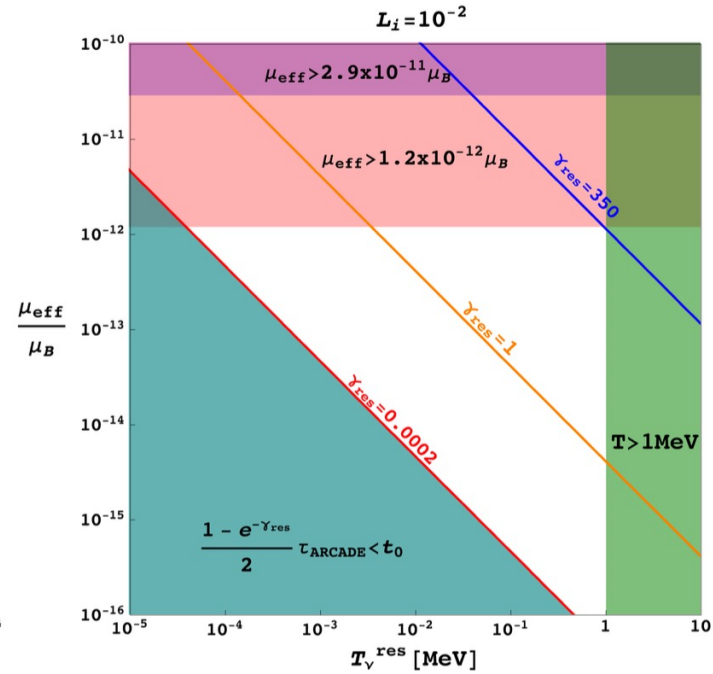
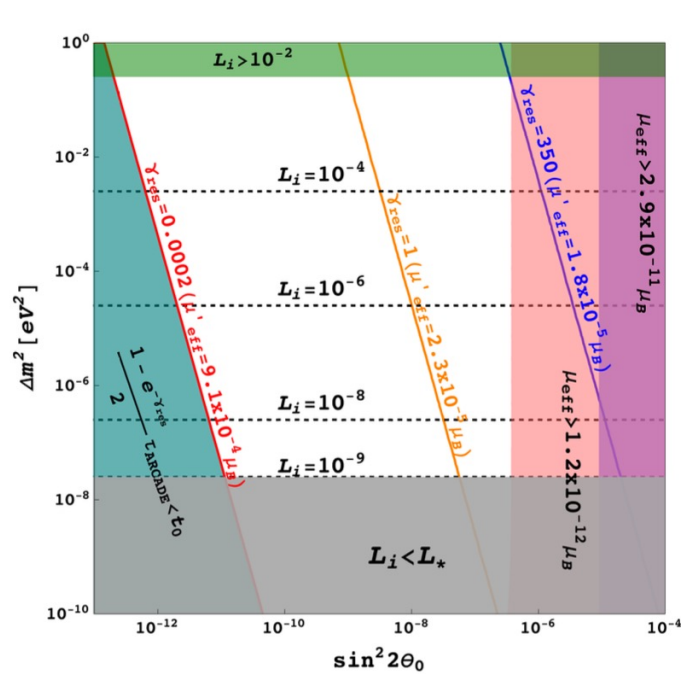
$$\mu_{eff} = \sin^2 \theta_0 \mu'_{eff}$$



# Constraints and allowed region

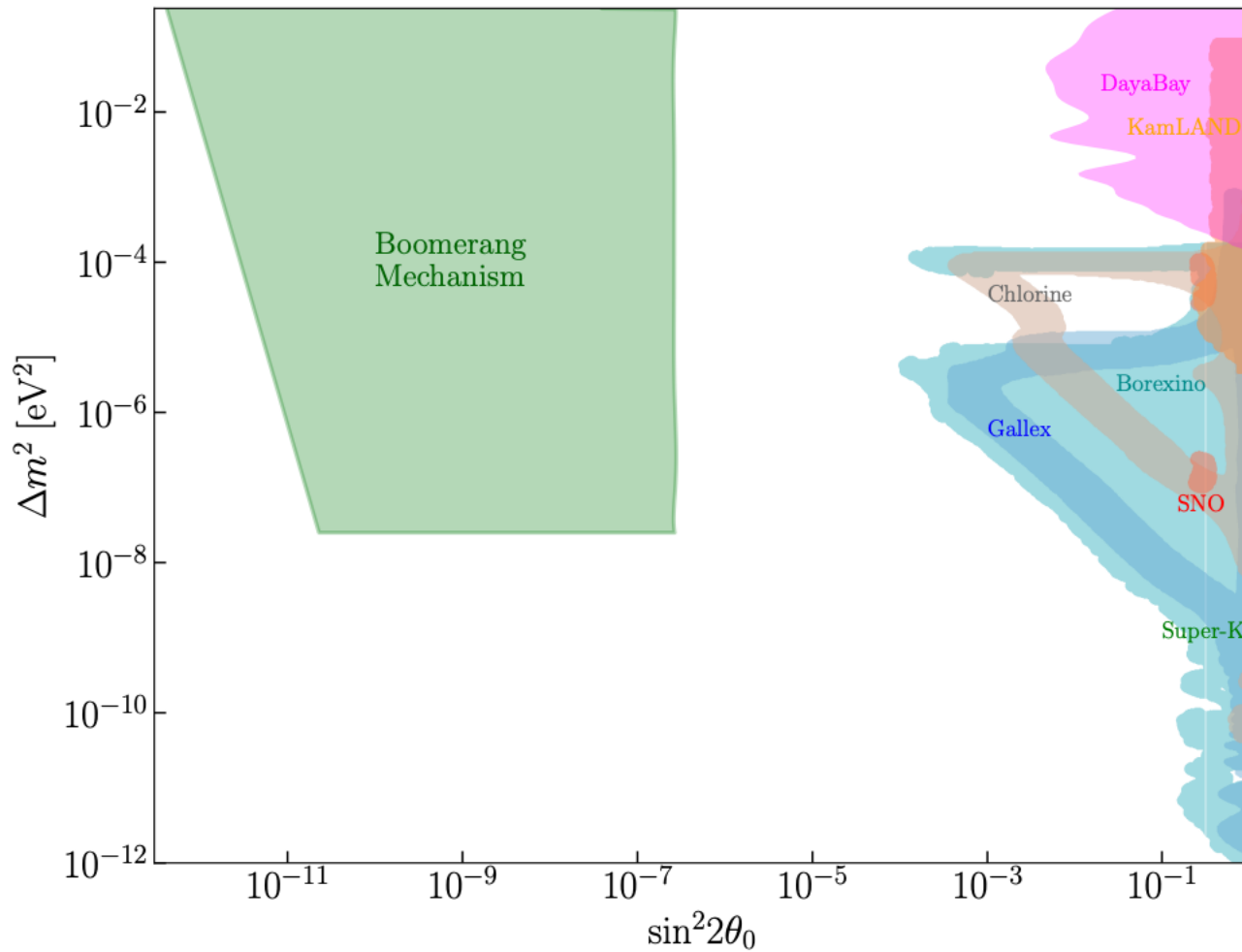
(Dev, PDB, Martinez-Soler, Roshan 2509.03441)

$\varepsilon=1$



# Boomerang mechanism versus neutrino oscillation constraints

(Dev, PDB, Martinez-Soler, Roshan 2509.03441)



# Some remarks on the boomerang mechanism

- The initial asymmetry can be dynamically generated by the same active-sterile neutrino mixing at temperatures  $> 1$  MeV. In this case the allowed region might slightly shrink. Alternatively, one can think of a late leptogenesis stage.  
(Foot, Thomson and Volkas hep-ph/9509327; PDB, Foot hep-ph/0103192)
- Within a model one could be able to specify a value for  $\varepsilon$
- For  $\varepsilon \neq 0$  sterile neutrinos couple to photons and this might still be a problem in stars since photons can decay into dark particles. One needs to invoke also a mechanism to prevent such decays (for example, one can couple the sterile neutrino to a scalar field such as a Majoron and have either a large mass in stars or vanishing coupling if a U(1) symmetry is restored inside stars).
- The boomerang mechanism has to be regarded as a proof in principle (disproving a no-go theorem) that a realization of the non-thermal photon spectrum from neutrino decay is possible. Notice that though the spectrum is obtained in an indirect way, with intermediate step, the net result does not change.
- It is not meant to be a unique solution!

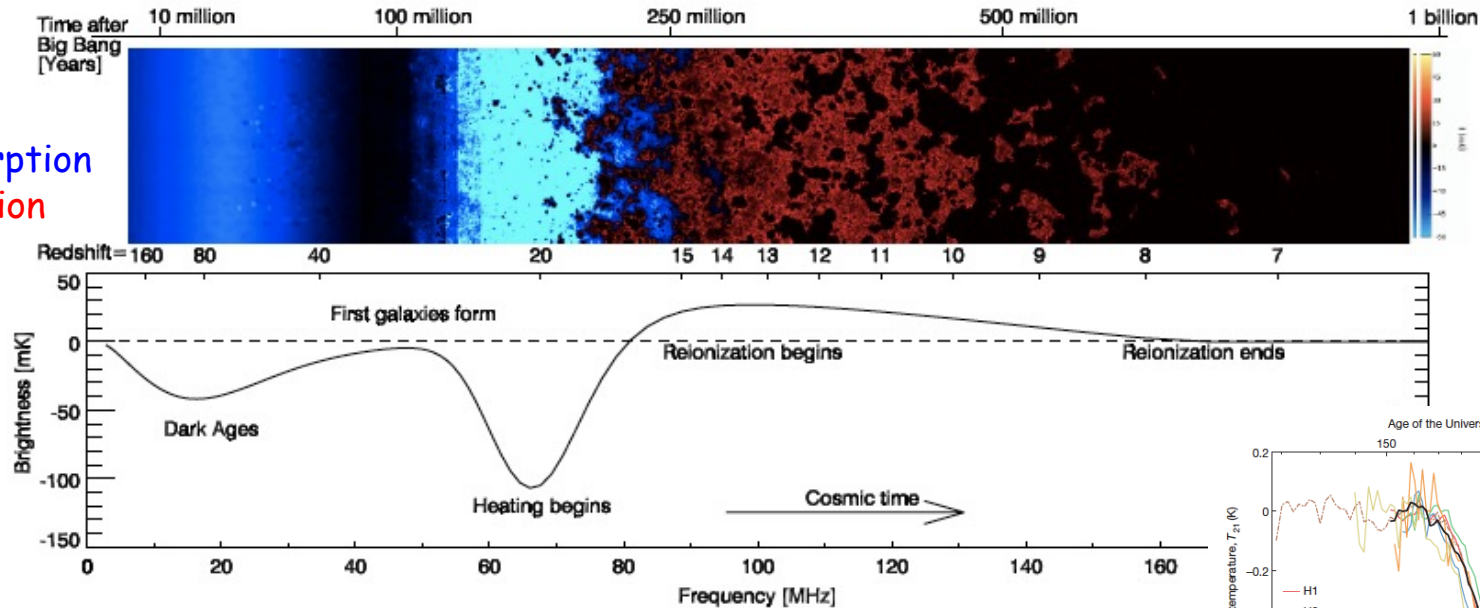
21cm cosmology:  
shedding light on dark ages

# 21 cm cosmology (global signal)

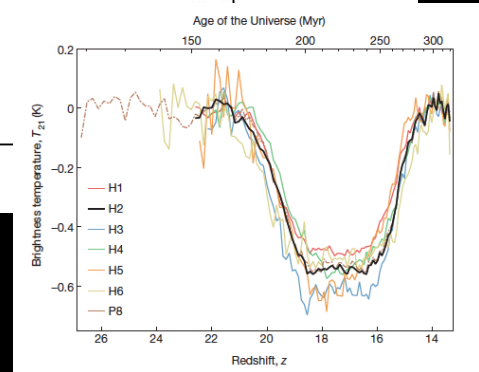
- 21 cm line (emission or absorption) is produced by hyperfine transitions between the two energy levels of 1s ground state of Hydrogen atoms. The energy splitting between the two level is  $E_{21}=5.87\mu\text{eV}$
- The **21cm brightness temperature** parametrises the brightness contrast :

$$T_{21}(z) \simeq 23 \text{ mK} (1 + \delta_B) x_{H_I}(z) \left( \frac{\Omega_B h^2}{0.02} \right) \left[ \left( \frac{0.15}{\Omega_m h^2} \right) \left( \frac{1+z}{10} \right) \right]^{1/2} \left[ 1 - \frac{T_\gamma(z)}{T_S(z)} \right]$$

spin  
temperature



**EDGES (anomalous) signal** →



# EDGES anomaly and relic neutrino decays

(Chianese, PDB, Farrag, Samanta, arXiv 1805.11717; Dev, PDB, Martinez-Soler, Roshan 2312.03082)

A solution of the EDGES anomaly requires an additional non-thermal photon component with:

$$T_{\gamma_{\text{nth}}}^{\text{EDGES}}(\bar{z}_E) = (60_{-41}^{+101}) \text{ K}$$

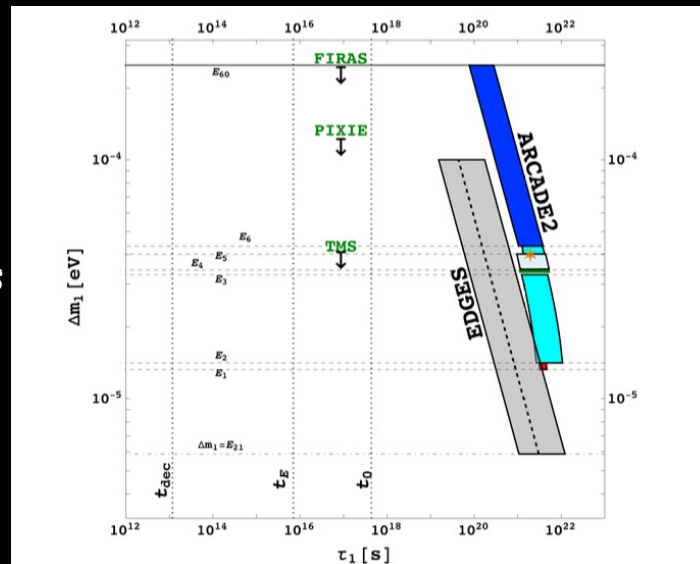
If we want to reproduce this value with relic neutrino decays we have to use:

$$T_{\gamma_{\text{nth}}}(E_{21}, z_E) \simeq \frac{6 \zeta(3)}{11 \sqrt{\Omega_{\text{M}0}}} \frac{T_0^3 (1 + z_E)^{3/2}}{E_{21}^{1/2} \Delta m_1^{3/2}} \frac{t_0}{\tau_1}$$

And the result is:

This can be also expressed saying that the ARCADE 2 solution predicts a signal at  $z_E$  that is about 10 times smaller than what is found by EDGES:

$$T_{\gamma_{\text{nth}}}^{\text{ARCADE}}(\bar{z}_E) \sim 6 \text{ K}$$



The EDGES result is controversial and many groups think it might be contaminated by some foreground contribution (ionosphere? Ground inhomogeneities? SARAS3 experiment has rebutted EDGES, so we need to wait for more results. 3 lunar-based experiments (to avoid ionosphere and ground reflection) are planned in a close future

# 21cm global signal: lunar-based experiments

## ➤ Lunar Surface Electromagnetic Experiment (LuSEE)

- 4 monopole antennas mounted on a rotating platform;
- 0.1-50 MHz band
- far side of the Moon
- scheduled to land in early 2026;



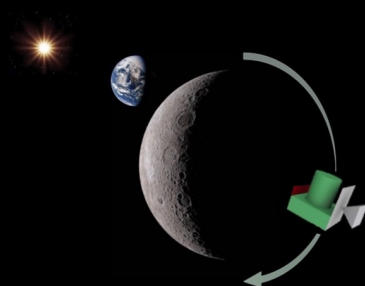
## ➤ Discovering Sky at the Longest wavelength (DSL)

- 1 mother satellite + 8 daughter satellites;
- 2h lunar orbit period;
- high precision in 30-120 MHz band
- mission launch in 2026;



## ➤ Probing ReionizATIion of the Universe using Signal from Hydrogen (PRATUSH)

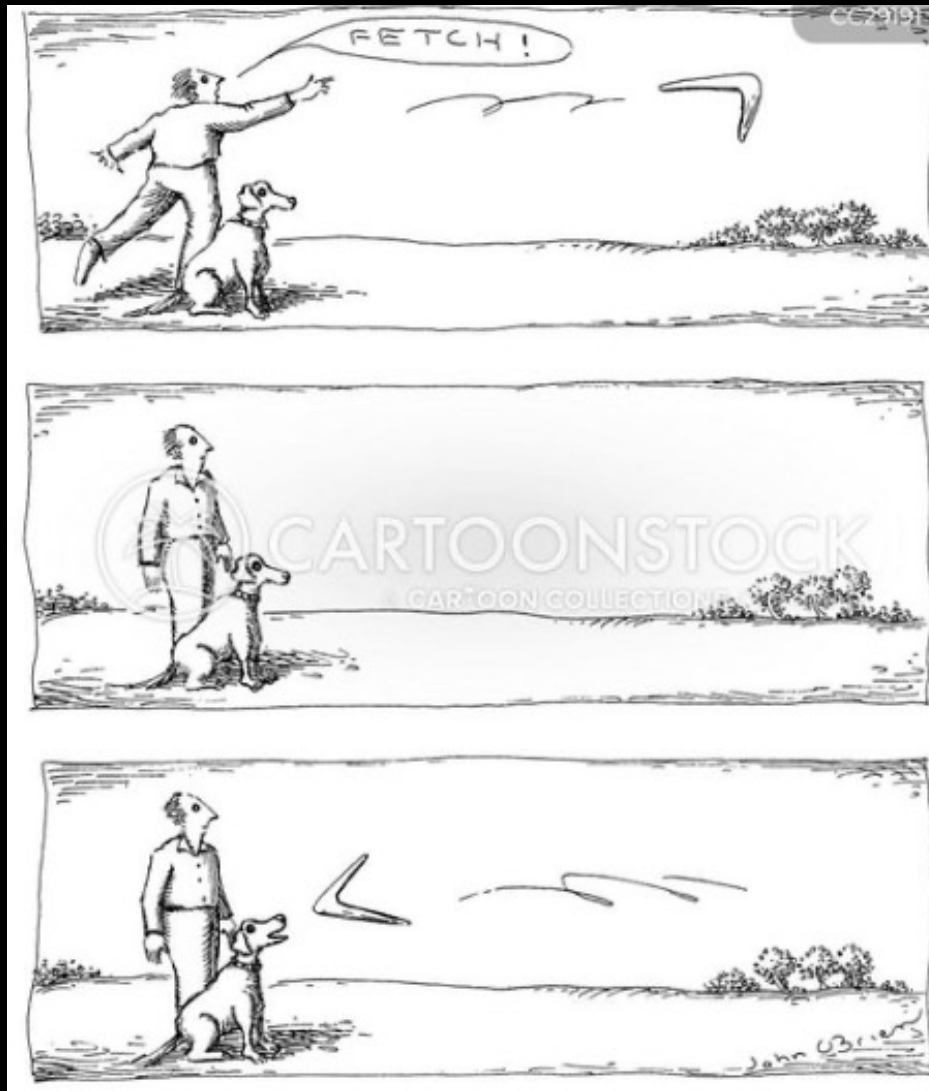
- Moon-orbiting experiment;
- 40-200 MHz band
- Pre-project funded by the Indian Space Research Organisation



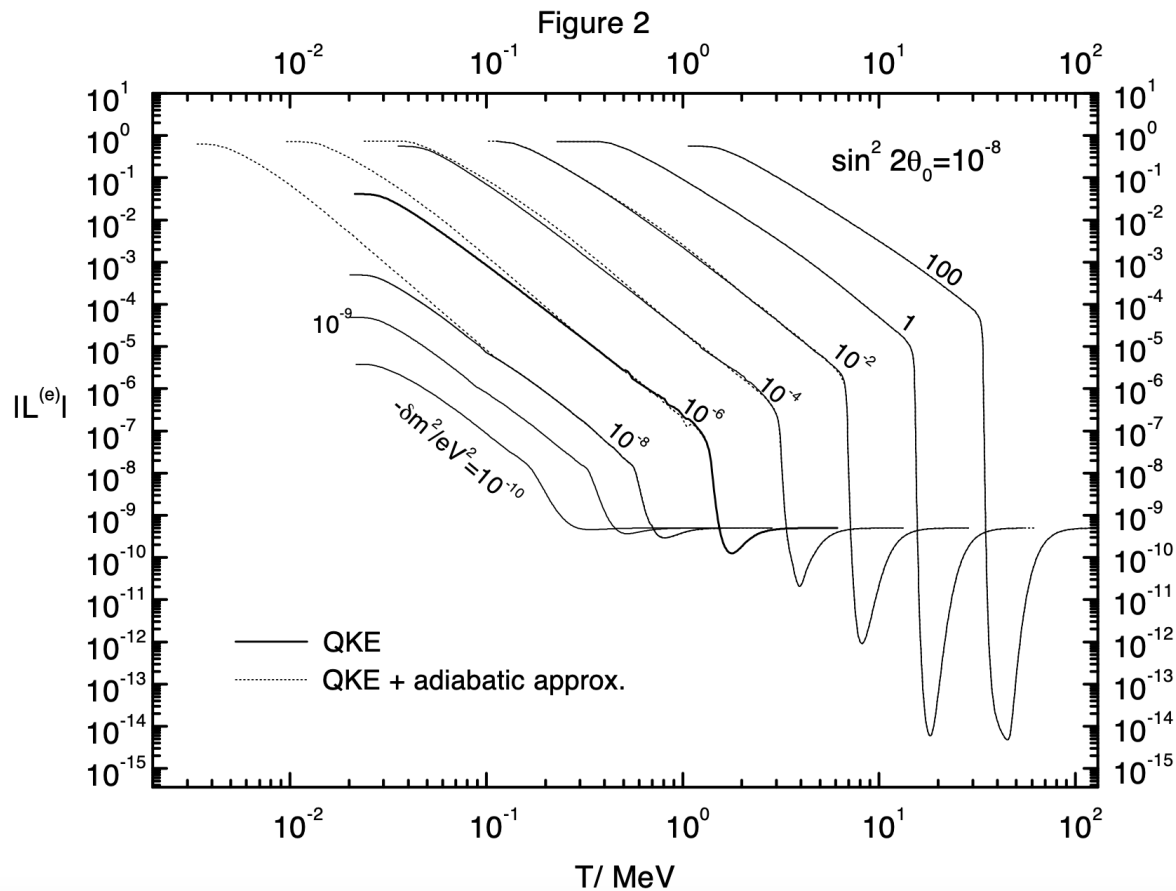
# Final remarks

- Invisible decays of the heaviest relic neutrinos might be a way to solve the neutrino mass tension between cosmological observations and neutrino oscillations experiments.
- The excess radio background can also be addressed by radiative decays of relic neutrinos (TMS might provide a crucial test of this solution relatively soon)
- However, the upper bound on the effective magnetic moment of neutrinos needs to be circumvented with some trick....
- We proposed the BOOMERANG mechanism: the visible sector throws dark neutrinos into the dark sector at  $T \sim 100$  keV and now the dark sector is throwing back photons into the visible sector.
- The mechanism predicts an effective neutrino magnetic moment that might be within the reach of next experiments.
- Some contribution to the 21 cm cosmological signal is also predicted but much smaller than what is needed to explain the EDGES anomaly.
- Exciting times for cosmological searches of BSM physics

# Thank you !



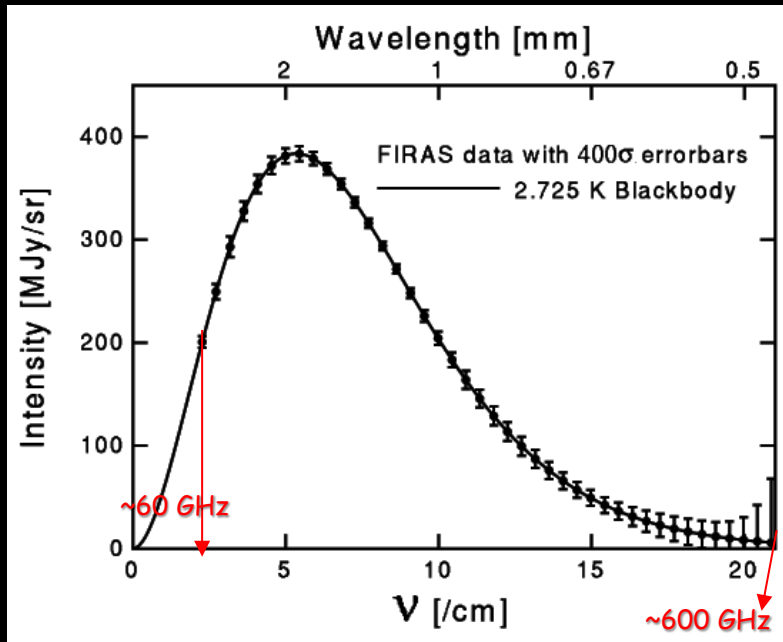
(PDB, R. Foot hep-ph/0103192)



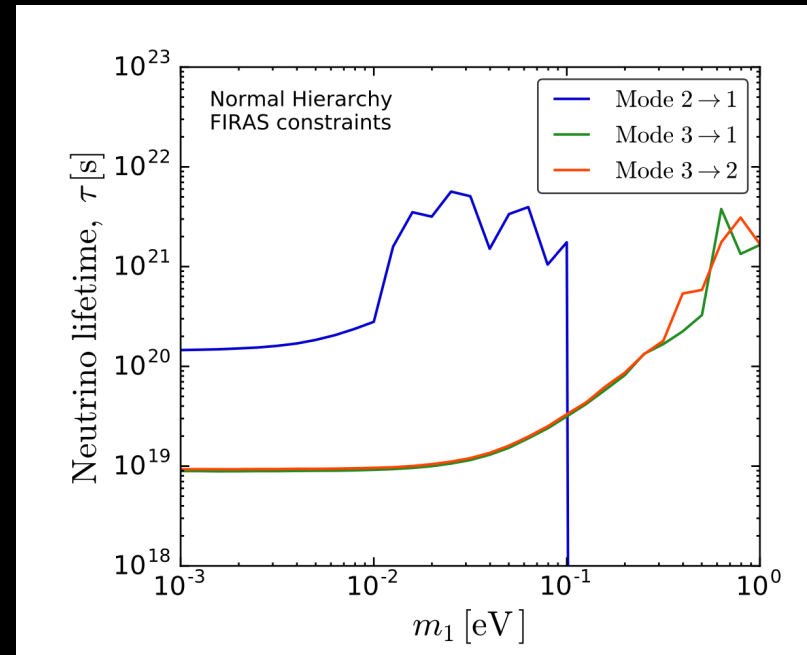
# Lower bound on neutrino lifetime from FIRAS

(Aalberts et al. 1803.00588)

- $\nu_j \rightarrow \nu_i + \gamma$  ( $i, j = 1, 2, 3$ ) ;
- $\nu_j$  is also an active neutrino mass eigenstate ;
- The  $\nu_i$  's are assumed to decay non-relativistically ( $m_i \gg T$ )
- $\Rightarrow E_{\gamma 0} = \frac{m_j^2 - m_i^2}{2 m_j} \frac{1}{1+z_D}$
- Neutrino oscillation experiments fix  $m_j^2 - m_i^2$



$$2.5 \times 10^{-4} \text{ eV} \lesssim E_{\gamma}^{\text{FIRAS}} \lesssim 2.5 \times 10^{-3} \text{ eV}$$



lower bounds on neutrino lifetime

# Upper limit on neutrino effective magnetic moment from FIRAS

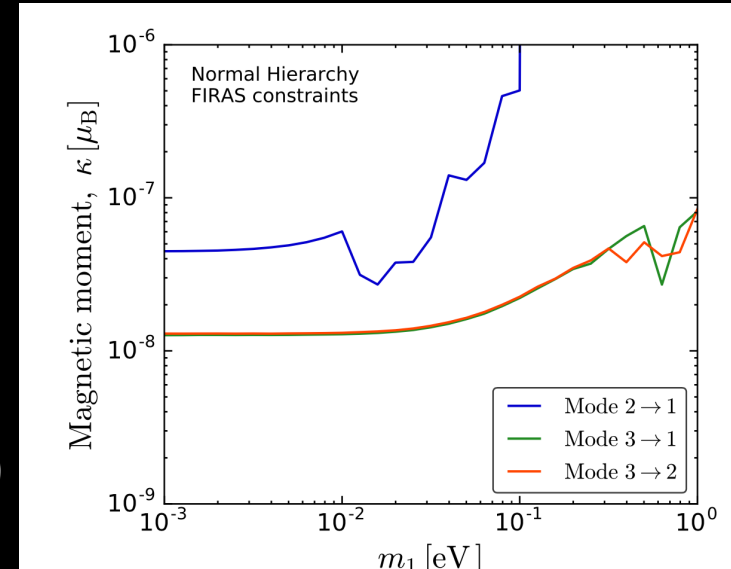
(Aalberts et al. 1803.00588)

- The decay rate can be expressed in terms of the neutrino effective magnetic moment\*

$$\mu_{\text{eff},ij} \equiv \sqrt{|\mu_{ij}|^2 + |\epsilon_{ij}|^2}$$

$$\Gamma_{\nu_j \rightarrow \nu_i + \gamma} = \frac{\mu_{\text{eff},ij}^2}{8\pi} \left( \frac{m_j^2 - m_i^2}{m_j} \right)^3$$

(Pal, Mohapatra 1982;...; Studenikin, Giunti 2015)



- These upper limits are looser than those placed by:

neutrino-electron scattering experiments

globular cluster stars

$$\mu_{\text{eff},ij} \lesssim 3.2 \times 10^{-11} \mu_B$$

(GEMMA, 1005.2736)

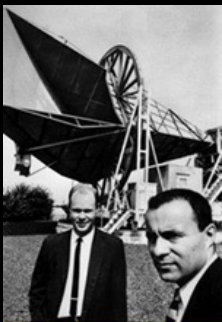
$$\mu_{\text{eff},ij} \lesssim 3 \times 10^{-12} \mu_B$$

(Raffelt, 1992)

- The Primordial Inflation Explorer (PIXIE) will improve the lower (upper) limit on lifetime (magnetic moment) by 4 (2) orders of magnitude
- It would be then very challenging to explain relic neutrino radiative decays!

\* *neglecting a neutrino millicharge*

# The CMB spectrum: most perfect Planckian in nature



Penzias and Wilson (1965)

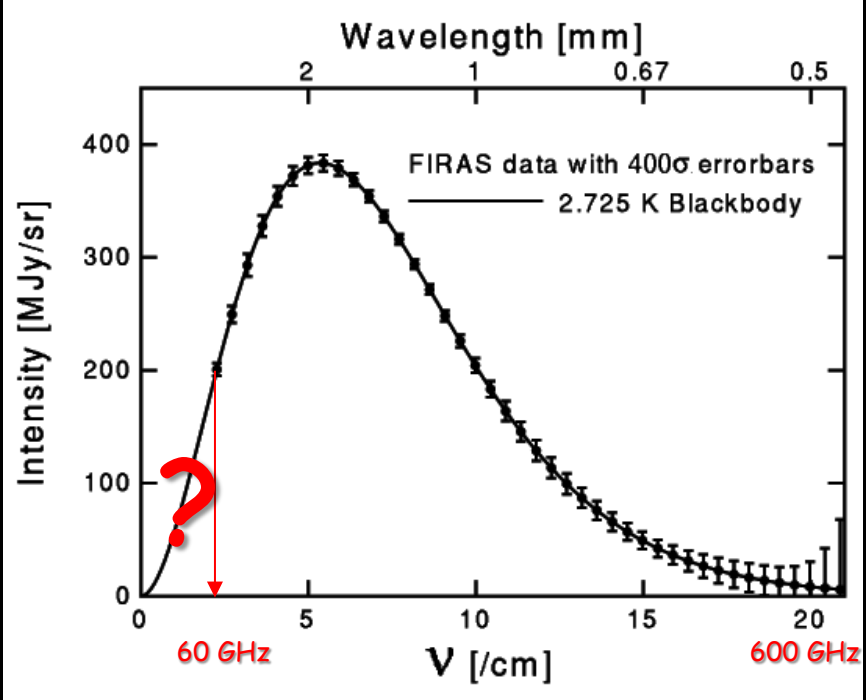
$T_{\nu 0} = (3.5 \pm 1) \text{ }^{\circ}\text{K}$



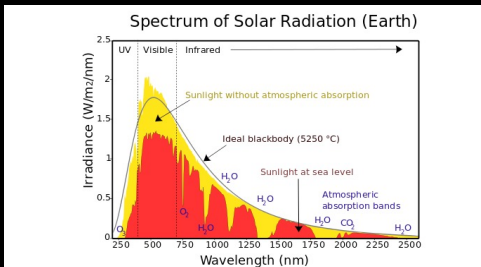
COBE satellite

FIRAS instrument of COBE (1990)

$T_{\nu 0} = (2.725 \pm 0.001) \text{ }^{\circ}\text{K}$  (Fixsen and Mather 2002)



for a comparison

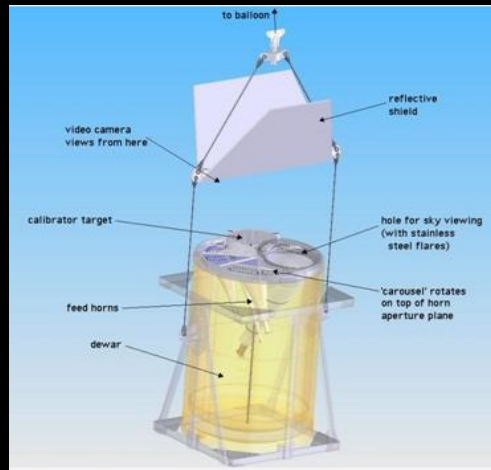


# ARCADE 2: The instrument

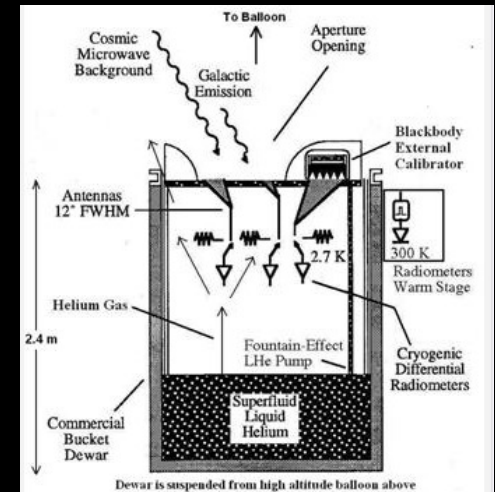
(Singal, Fixsen, Kogut, Levin, Limon, Lubin, Mirel, Seiffert, Villela, Wollack, Wuensche 0901.0546)



FIG. 5.— Photograph of the ARCADE 2 instrument just prior to 2006 flight. The instrument core is contained within the large (1.5 m diameter, 2.4 m tall) bucket dewar. The lid is shown closed



Schematic of ARCADE 2 instrument, showing the big dewar, the suspension structure above, the horns hanging inside to form the core.

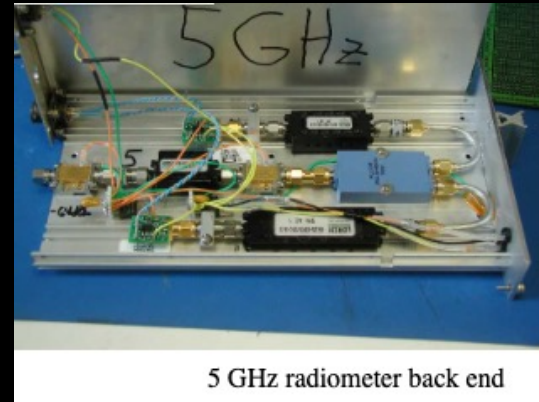
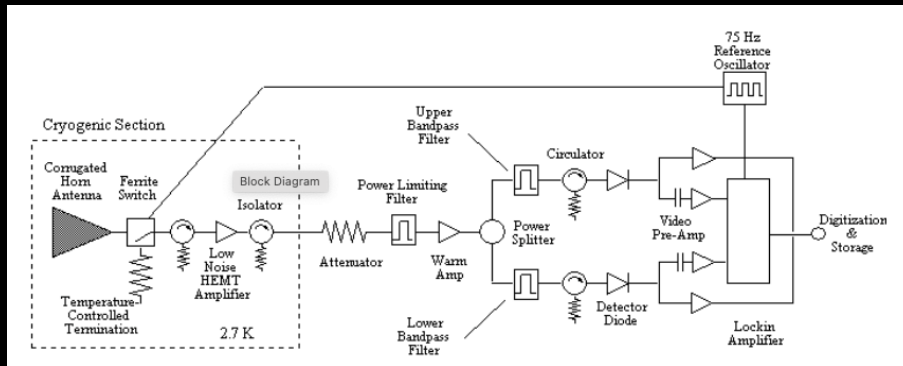


Schematic of ARCADE 2 instrument, highlighting the radiometric and thermal features.

- Balloon-borne instrument with 7 (Dicke) radiometers mounted in a liquid helium bucket dewar
- A cryogenic switch connects the amplification either to a horn antenna or to an internal reference load
- The temperature of the reference load is adjusted in a way to produce zero differential signal, nulling the radiometer output
- The horn can view either the sky or an external blackbody calibrator
- The blackbody temperature can be adjusted to match the sky temperature nulling instrumental offsets (*double nulled instrument*)
- The sky temperature measurement depends critically on the calibrator temperature determination
- Horns are cooled to a nearly constant temperature of  $\sim 1.5$  K

# ARCADE 2: The radiometers

(Singal, Fixsen, Kogut, Levin, Limon, Lubin, Mirel, Seiffert, Villela, Wollack, Wuensche 0901.0546)



- ARCADE consists of 7 Dicke cryogenic radiometers covering a poorly-measured centimeter band between full-sky surveys at radio frequencies ( $f < 3$  GHz) and the FIRAS millimeter and sub-mm measurements ( $f > 60$  GHz)

**ARCADE Receiver Summary**

	3 GHz	5 GHz	7 GHz	10 GHz	30 GHz*	90 GHz
Lower Freq (GHz)	3.1	5.2	7.8	9.5	28.5	87.5
Upper Freq (GHz)	3.5	5.8	8.5	10.7	31.5	90.5
Cold Stage Gain (dB)	40	29	40	40	25	26
System Temperature (K)	7	8	13	12	40	60
Sensitivity ( mK Sqrt(s) )	0.7	0.7	1.0	0.7	1.5	2.2

- Only the 3, 7 and 10 GHz radiometers produced useful data points (2 each one: 6 data points)

## Specific intensity of thermal (CMB) and non-thermal radiation

specific intensity of CMB

$$I_{\gamma_{th}}(E, z) \equiv \frac{d\mathcal{F}_E^{\gamma_{th}}}{dA dt dE d\Omega} = \frac{1}{4\pi} \frac{d\varepsilon_{nth}}{dE} \bigg|_{z=z_*} = \frac{1}{4\pi^3} \frac{E^3}{e^{E/T(z)} - 1}$$

Here  $z$  has to be meant as the redshift at the detection....the traditional case is  $z=0$  but there is also the possibility to detect the radiation at  $z > 0$  if the radiation is absorbed (case of 21cm signal)

Rayleigh-Jeans tail limit

$$I_{\gamma_{th}}(E, z) = \frac{1}{4\pi^3} \frac{E^3}{e^{E/T(z)} - 1} \xrightarrow{E \ll T(z)} \frac{1}{4\pi^3} T(z) E^2$$

In the case of some additional non-thermal contribution, one can define:

effective (or radiometric) temperature

$$T_{\gamma_{nth}}(E, z) = E \ln^{-1} \left( 1 + \frac{E^3}{4\pi^3 I_{\gamma_{nth}}(E, z)} \right)$$

For  $E \ll T_{\gamma_{nth}}$ :

$$T_{\gamma_{nth}}(E, z) \simeq \frac{4\pi^3}{E^2} I_{\gamma_{nth}}(E, z)$$

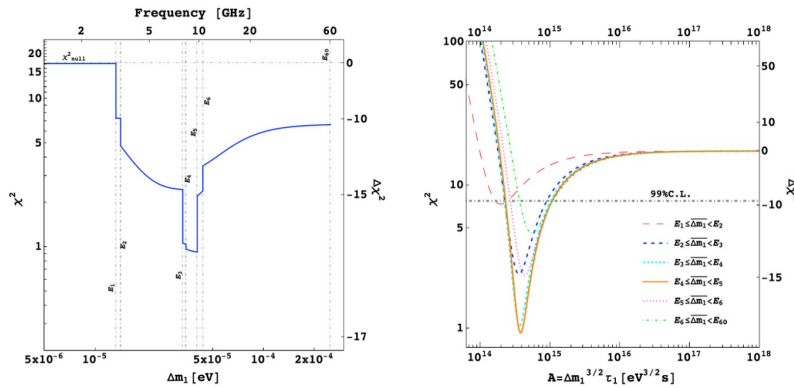
# Fitting the ARCADE 2 excess radio background

(Dev, PDB, Martinez-Soler, Roshan 2312.03082)

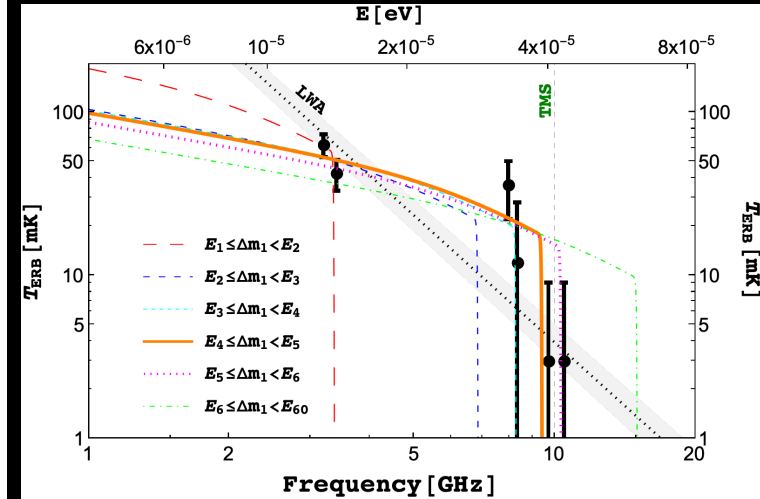
input

**Table 1.** ARCADE 2 measurements of the excess radio background effective temperature [1].

$i$	$\nu_i$ (GHz)	$E_i$ ( $10^{-5}$ eV)	$T_{\gamma 0}^i$ (K)	$\bar{T}_{\text{ERB}}^i$ (mK)	$\delta T_{\text{ERB}}^i$ (mK)
1	3.20	1.36	2.792	63	10
2	3.41	1.41	2.771	42	9
3	7.97	3.30	2.765	36	14
4	8.33	3.44	2.741	12	16
5	9.72	4.02	2.732	3	6
6	10.49	4.34	2.732	3	6



**Figure 1.** Left panel:  $\chi^2$  versus  $\Delta m_1$  for best fit value of  $A$  in each interval as in Table 2. Right panel:  $\chi^2$  (4 d.o.f.) as a function of  $A$  for the best fit values of  $\Delta m_1$  in each interval  $E_i \leq \Delta m_1 < E_{i+1}$  as in Table 2.



results

**Table 2.** Results of the fit of ARCADE 2 data. Best fit values,  $\chi^2$  and  $\Delta\chi^2$  are shown for each interval of  $\Delta m_1$ , corresponding to a frequency interval between two data points.

Interval	$\bar{A}$ ( $\text{eV}^{3/2} \text{s}$ )	$\bar{\Delta m}_1$ (eV)	$\bar{\tau}_1$ (s)	$\chi^2_{\text{min}}$	$\Delta\chi^2_{\text{min}}$
$E_1 \leq \Delta m_1 < E_2$	$1.9 \times 10^{14}$	$1.4 \times 10^{-5}$	$3.6 \times 10^{21}$	7.36	-9.87
$E_2 \leq \Delta m_1 < E_3$	$2.3 \times 10^{14}$	$2.7 \times 10^{-5}$	$1.6 \times 10^{21}$	2.28	-14.95
$E_3 \leq \Delta m_1 < E_4$	$3.6 \times 10^{14}$	$3.4 \times 10^{-5}$	$1.8 \times 10^{21}$	1.06	-16.17
$E_4 \leq \Delta m_1 < E_5$	$3.8 \times 10^{14}$	$4.0 \times 10^{-5}$	$1.46 \times 10^{21}$	0.96	-16.27
$E_5 \leq \Delta m_1 < E_6$	$4.2 \times 10^{14}$	$4.3 \times 10^{-5}$	$1.49 \times 10^{21}$	2.19	-15.04
$E_6 \leq \Delta m_1 < E_{60}$	$4.7 \times 10^{14}$	$2.0 \times 10^{-4}$	$1.66 \times 10^{20}$	3.23	-14.00

# EDGES anomaly

21cm brightness  
contrast  
temperature

$$T_{21}(z) \simeq 23 \text{ mK} (1 + \delta_B) x_{H_I}(z) \left( \frac{\Omega_{B0} h^2}{0.02} \right) \left[ \left( \frac{0.15}{\Omega_{M0} h^2} \right) \left( \frac{1+z}{10} \right) \right]^{1/2} \left[ 1 - \frac{T_\gamma(z)}{T_S(z)} \right]$$

spin  
temperature

$$\frac{n_1}{n_0}(z) \equiv \frac{g_1}{g_0} e^{-\frac{E_{21}}{T_S(z)}}$$

When stars form, 21 cm transitions couple to the gas and simply  $T_S = T_{gas}$

The EDGES collaboration found an absorption profile signal with minimum at  $z_E \simeq 17$  corresponding to  $\nu_{21}(z_E) = 78 \text{ MHz}$  (at rest  $\nu_{21} = 1420 \text{ MHz}$ ) and

$$T_{21}^{\text{EDGES}}(z_E) = -500^{+200}_{-500} \text{ mK (99\% C.L.)}.$$

Is this result compatible with the expectation from the  $\Lambda$ CDM model?

The (thermal) relic photon temperature is given by

$$T_\gamma(\bar{z}_E) = T(\bar{z}_E) = T_0 (1 + \bar{z}_E) \simeq 49.6 \text{ K}$$

The gas temperature is found

$$T_{\text{gas}}(\bar{z}_E) \simeq 7.2 \text{ K}$$

Plugging these numbers into the expression for  $T_{21}(z_E)$ :

$$T_{21}(\bar{z}_E) \simeq -206 \text{ mK}$$

Can relic neutrino decays explain (also) the EDGES anomaly ?

# EDGES anomaly

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temperature

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# Testing an unstable relic neutrino background: a long history of constraints

(Kolb and Turner 1988)

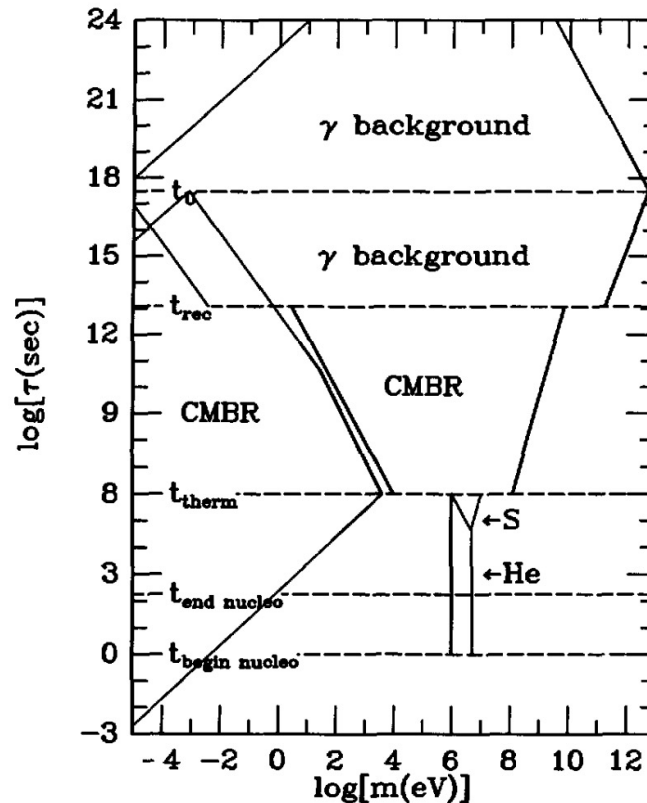


Fig. 5.6: Cosmological limits to the mass and lifetime of an unstable neutrino species that decays radiatively.

# Testing an unstable relic neutrino background: a long history of constraints

(Kolb and Turner 1988)

5.5 Neutrino Cosmology 145

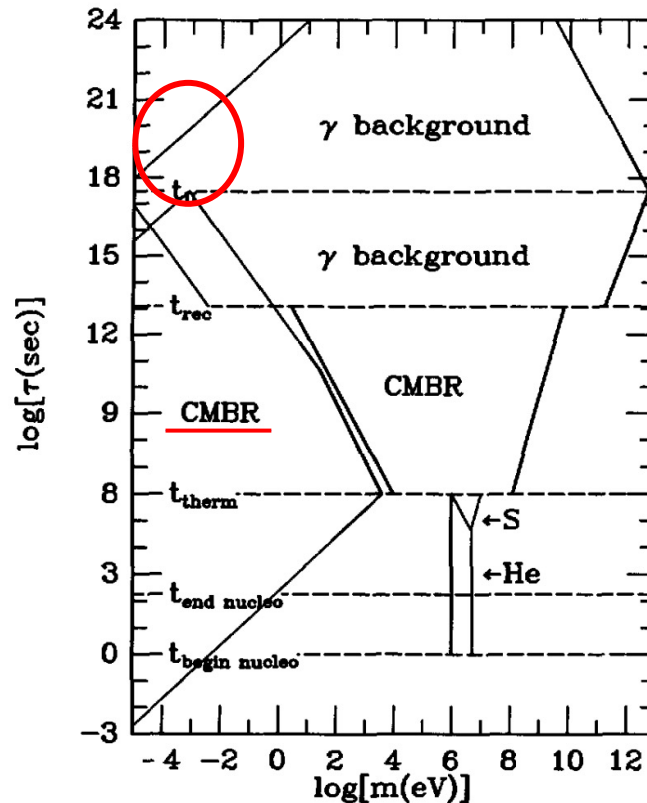


Fig. 5.6: Cosmological limits to the mass and lifetime of an unstable neutrino species that decays radiatively.